



**ON Semiconductor®**

# **Analysis and Design of Quasi-Square Wave Resonant Converters**

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# Agenda

1. Quasi-Resonant (QR) Generalities
2. Limiting the free-running frequency
3. Calculating the QR inductor
4. Choosing the Power Components
5. Predicting the Losses of a QR Power Supply
6. Synchronous Rectification
7. Loop Compensation
8. NCP1380, our future QR controller



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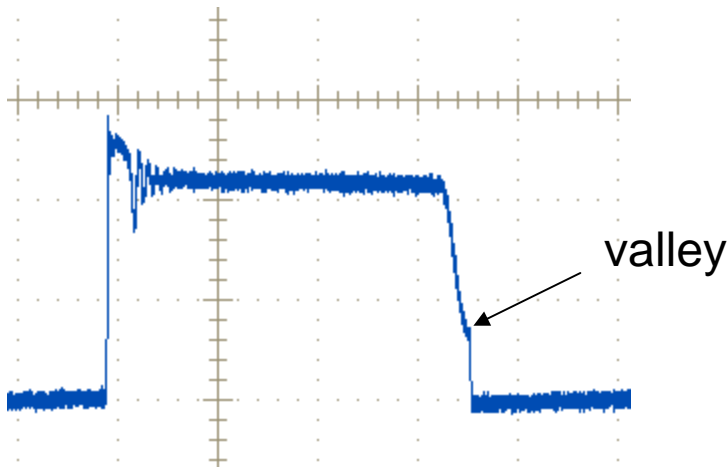
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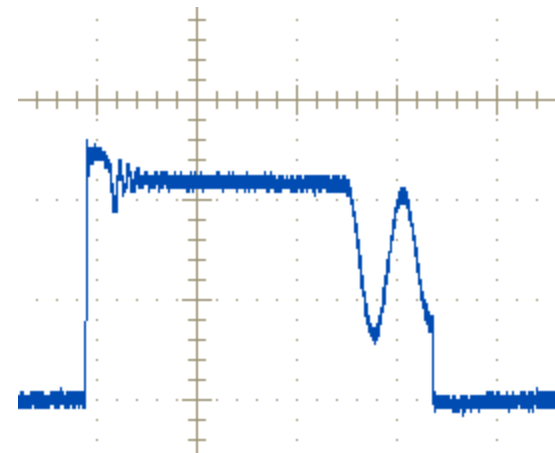


# What is Quasi-Square Wave Resonance ?

- ❑ MOSFET turns on when  $V_{DS}(t)$  reaches its minimum value.
- Minimize switching losses
- Improves the EMI signature



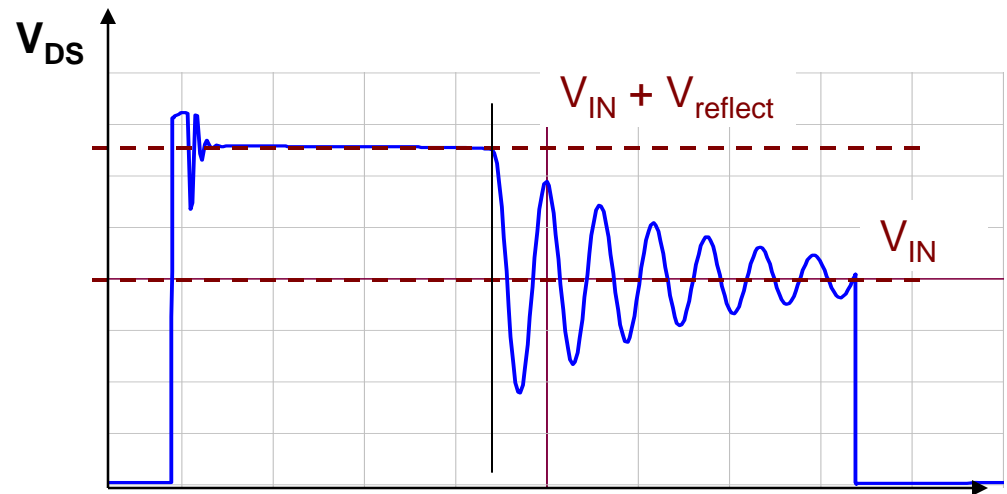
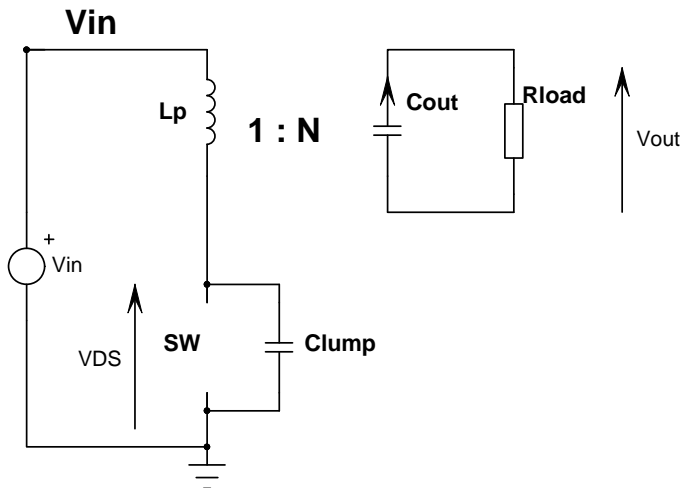
MOSFET turns on in first valley



MOSFET turns on in second valley

# Quasi-Resonant Operation

- ❑ In DCM,  $V_{DS}$  must drop from  $(V_{IN} + V_{reflect})$  to  $V_{IN}$
- ❑ Because of  $L_p$ - $C_{lump}$  network  $\rightarrow$  oscillations appear
- ❑ Oscillation half period:  $t_x = \pi \sqrt{L_p C_{lump}}$



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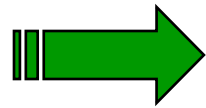
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# A Need to Limit the Switching Frequency

□ In a self-oscillating QR,  $F_{sw}$  increases as the load decreases



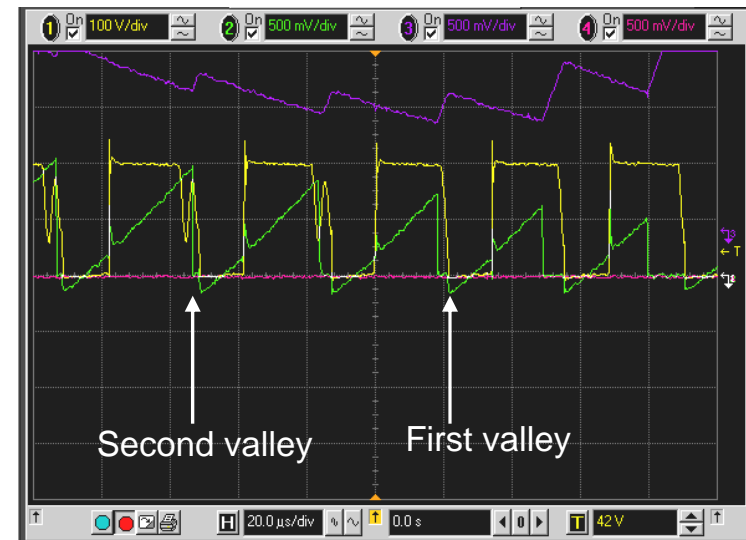
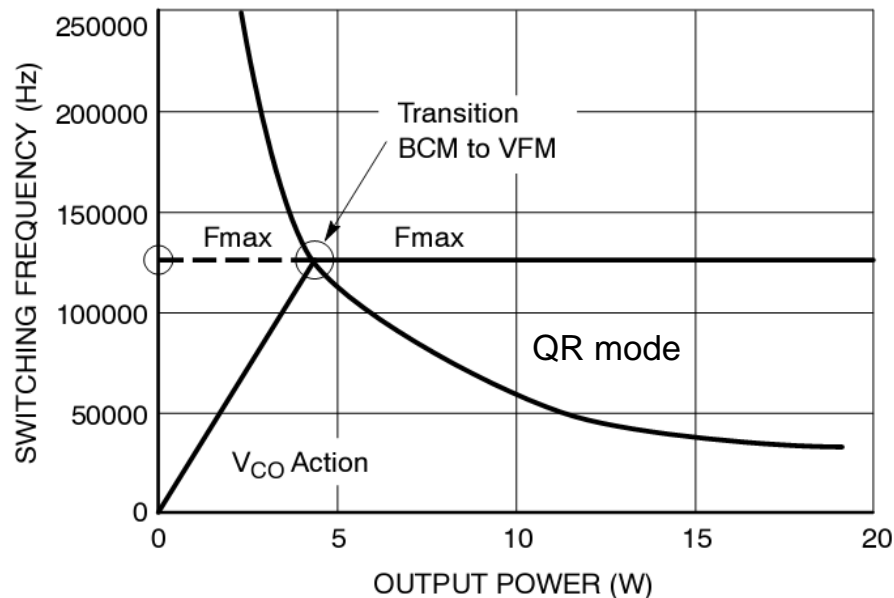
Higher losses at light load if  $F_{sw}$  is not limited

□ 2 methods to limit  $F_{sw}$ :

- Frequency clamp with frequency foldback
- Changing valley with valley lockout



# Frequency Foldback in QR Converters

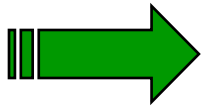


- ❑ In light load, frequency increases and hits clamp
  - Multiple valley jumps
  - Jumps occur at audible range
  - Creates signal instability

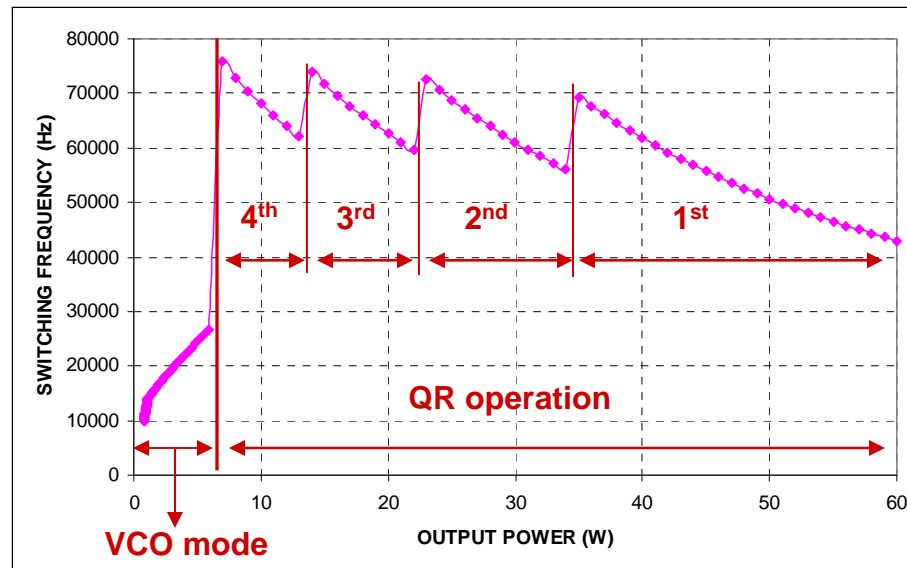


# Changing Valley

- ❑ As the load decreases, the controller changes valley (1<sup>st</sup> to 4<sup>th</sup> valley in NCP1380)
- ❑ The controller stays locked in a valley until the output power changes significantly.



- No valley jumping noise
- Natural switching frequency limitation



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# Calculating the QR Inductor

- Calculation steps:
  1. Primary to secondary turns ratio
  2. Primary and secondary peak current
  3. Inductance value
  4. Primary and secondary rms current



# Turns Ratio Calculation

- Derate maximum MOSFET  $BV_{dss}$ :

$$V_{ds,max} = BV_{dss} k_D \rightarrow k_D: \text{derating factor}$$

- For a maximum bulk voltage, select the clamping voltage:

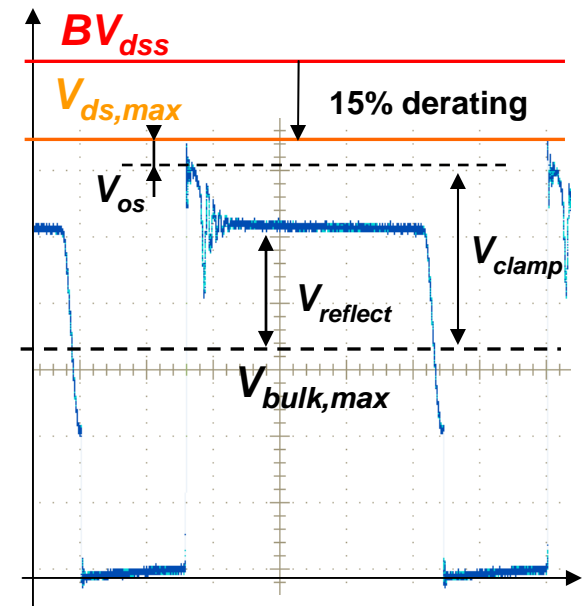
$$V_{clamp} = V_{ds,max} - V_{in,max} - V_{os} \rightarrow V_{os}: \text{diode overshoot}$$

- Deduce turns ratio:

$$N_{ps} = \frac{N_s}{N_p} = \frac{k_c (V_{out} + V_f)}{V_{clamp}}$$

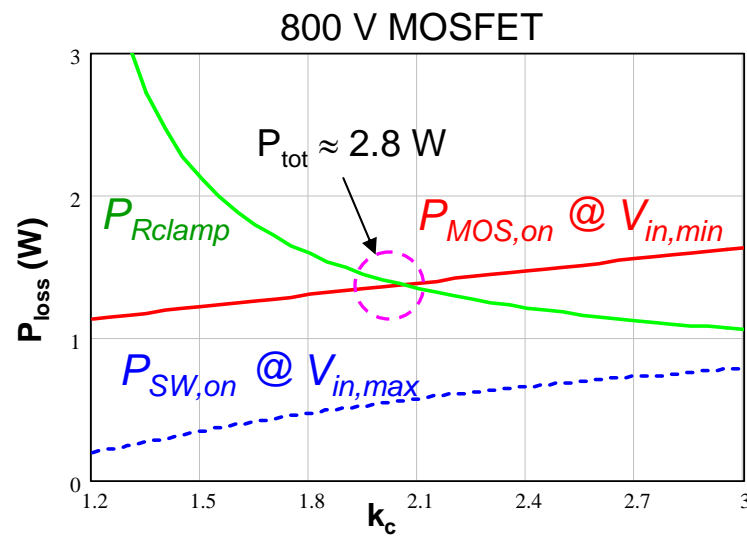
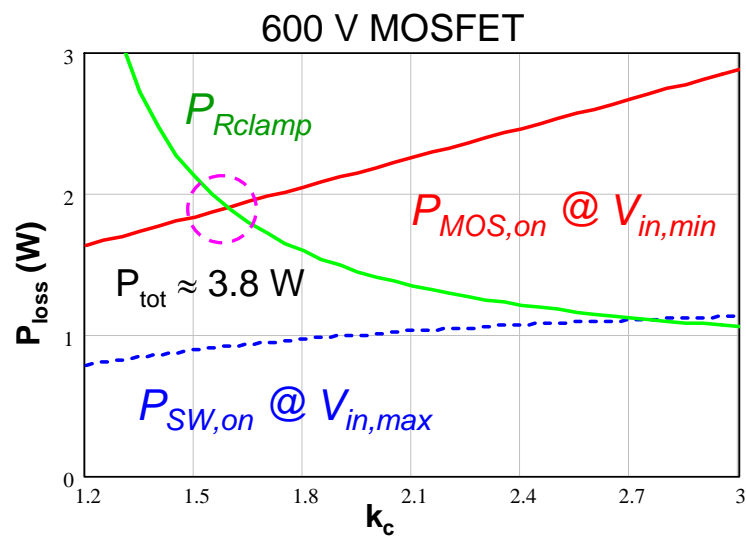
$k_c$ : clamping coef.

$$k_c = V_{clamp} / V_{reflect}$$



# How to Choose $k_c$

- Choose  $k_c$  to equilibrate MOS conduction losses and clamping resistor losses.



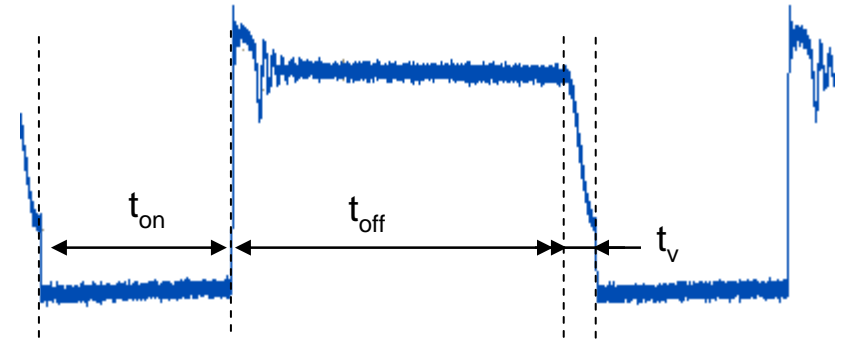
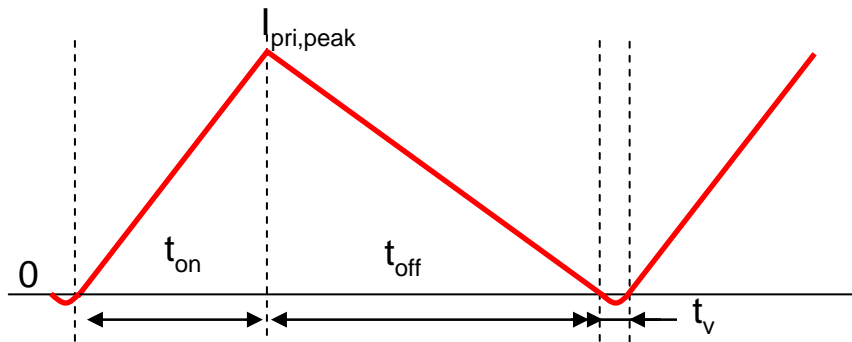
$$P_{Rclamp} = k_{leak} \frac{P_{out}}{\eta} \frac{k_c}{k_c - 1}$$

$$P_{MOS,on} = R_{dson} \frac{4P_{out}^2}{3\eta^2 V_{in,min}} \left( \frac{1}{V_{in,min}} + \frac{k_c}{BV_{dss} k_D - V_{in,max} - V_{os}} \right)$$

$$P_{sw,on} = \frac{1}{2} \left( V_{in,max} + \frac{BV_{dss} k_D - V_{in,max} - V_{os}}{k_c} \right)^2 C_{OSS} F_{sw,max}$$

# Primary Peak Current and Inductance

$$\square P_{out} = \frac{1}{2} L_{pri} I_{pri,peak} F_{sw} \eta \quad \boxed{\text{DCM}}$$



$$\square T_{sw} = \frac{I_{pri,peak} L_{pri}}{V_{in,min}} + \frac{I_{pri,peak} L_{pri} N_{ps}}{V_{out} + V_f} + \pi \sqrt{L_{pri} C_{lump}} \leftarrow C_{oss} \text{ contribution alone.}$$

$$I_{pri,peak} = 2 \frac{P_{out}}{\eta} \left( \frac{1}{V_{in,min}} + \frac{N_{ps}}{V_{out} + V_f} \right) + \pi \sqrt{\frac{2P_{out} C_{lump} F_{sw}}{\eta}}$$

$$L_{pri} = \frac{2P_{out}}{I_{pri,peak}^2 F_{sw} \eta}$$

# RMS Current


- ❑ Calculate maximum duty-cycle at maximum  $P_{out}$  and minimum  $V_{in}$ :

$$d_{max} = \frac{I_{pri,peak} L_{pri}}{V_{in,min}} F_{sw,min}$$

- ❑ Deduce primary and secondary RMS current value:

$$I_{pri,rms} = I_{pri,peak} \sqrt{\frac{d_{max}}{3}}$$

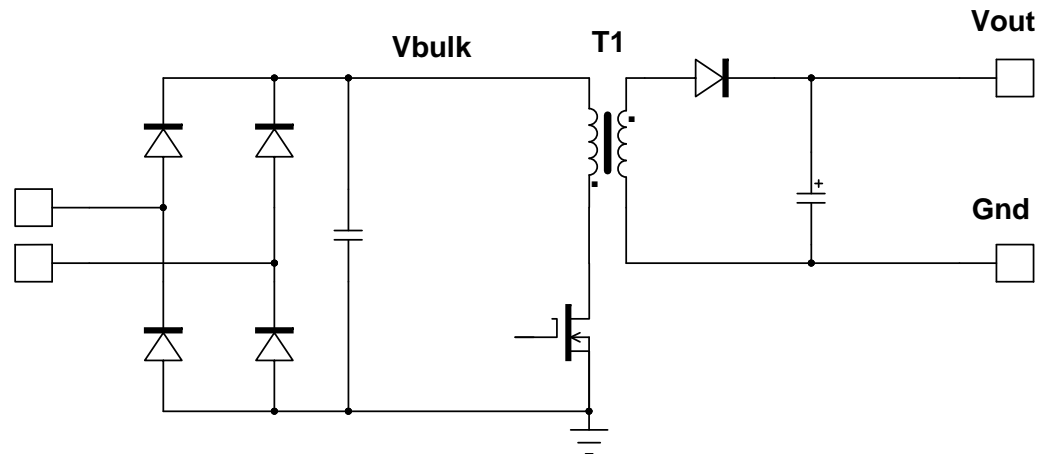
$$I_{sec,rms} = \frac{I_{pri,peak}}{N_{ps}} \sqrt{\frac{1-d_{max}}{3}}$$

$I_{pri,rms}$  and  $I_{sec,rms}$   Losses calculation

# Design Example

## □ Power supply specification:

- $V_{out} = 19\text{ V}$
- $P_{out} = 60\text{ W}$
- $F_{sw,min} = 45\text{ kHz}$
- 600 V MOSFET
- $V_{in} = 85 \sim 265\text{ Vrms}$





# Design Example



□ Based on equations from slides 11 to 14:

➤ Turns ratio: 
$$N_{ps} = \frac{k_c (V_{out} + V_f)}{B_{Vdss} k_D - V_{in,max} - V_{os}} = \frac{1.5 \times (19 + 0.8)}{600 \times 0.85 - 375 - 20} \Rightarrow N_{ps} \approx 0.25$$

➤ Peak current: 
$$I_{pri,peak} = \frac{2P_{out}}{\eta} \left( \frac{1}{V_{in,min}} + \frac{N_{ps}}{V_{out} + V_f} \right) + \pi \sqrt{\frac{2P_{out} C_{lump} F_{sw}}{\eta}}$$

$$= \frac{2 \times 60}{0.85} \left( \frac{1}{100} + \frac{0.25}{19.8} \right) + \pi \sqrt{\frac{2 \times 60 \times 250 p \times 45k}{0.85}} \Rightarrow I_{pri,peak} = 3.32 A$$

➤ Inductance: 
$$L_{pri} = \frac{2P_{out}}{I_{pri,peak}^2 F_{sw} \eta} = \frac{2 \times 60}{3.32^2 \times 45k \times 0.85} \Rightarrow L_{pri} = 285 \mu H$$

➤ Max. duty-cycle: 
$$d_{max} = \frac{I_{pri,peak} L_{pri}}{V_{in,min}} F_{sw,min} = \frac{3.32 \times 285 \mu}{100} 45k \Rightarrow d_{max} = 0.43$$

➤ Primary rms current: 
$$I_{pri,rms} = I_{pri,peak} \sqrt{\frac{d_{max}}{3}} = 3.32 \sqrt{\frac{0.43}{3}} \Rightarrow I_{pri,rms} = 1.26 A$$

➤ Secondary rms current: 
$$I_{sec,rms} = \frac{I_{pri,peak}}{N_{ps}} \sqrt{\frac{1-d_{max}}{3}} = \frac{3.32}{0.25} \sqrt{\frac{1-0.43}{3}} \Rightarrow I_{sec,rms} = 5.8 A$$



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# MOSFET



❑ TO220 package:  $R_{\theta JA} = 62 \text{ }^\circ\text{C} / \text{W}$

❑ Ambient temperature:  $T_A = 50 \text{ }^\circ\text{C}$ , MOS junction temperature:  $T_J = 110 \text{ }^\circ\text{C}$

➡ Power dissipated by TO-220 without heatsink:  $P_{TO-220} = \frac{T_J - T_A}{R_{\theta JA}} \approx 1 \text{ W}$

➡ MOS  $R_{DS(on)}$  @  $T_J = 110 \text{ }^\circ\text{C}$ :  $R_{DS(on)120} = \frac{P_{TO-220}}{I_{pri,RMS}^2} = \frac{1}{1.3^2} = 0.6 \Omega$



Assume we do not  
want a heatsink

!

15 A, 600 V MOSFET

# MOS Heatsink

□ We choose a 7 A, 600 V MOS:  $R_{DS(on)120} = 1.2 \Omega$ ,  $R_{DS(on)25} = 0.6 \Omega$

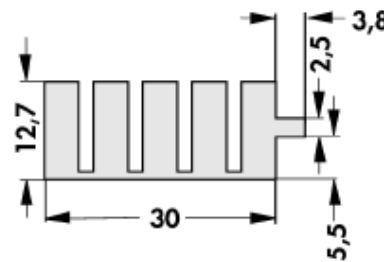
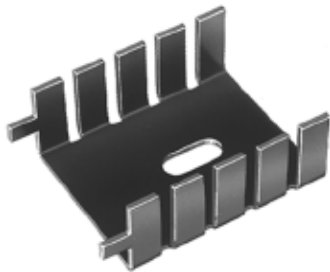
$T_j$

➡ MOS conduction losses:

$$P_{cond} = R_{DS(on)120} I_{pri,rms}^2 = 1.2 \times 1.26^2 = 1.9 W$$

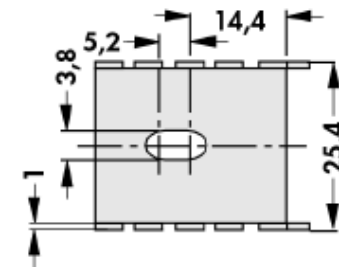
➡ Thermal resistance of the heatsink:

$$R_{\theta SA} = \frac{T_J - T_A}{P_{cond}} - R_{\theta JC} - R_{\theta CS} = \frac{110 - 50}{1.9} - 2.5 - 1.6 = 27^\circ C / W$$



20 K/W

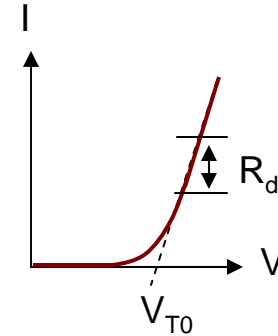
TO 220



# Output Diode

❑ TO-220 package → power dissipation: 1 W

❑ MBR20200:  $V_{T0} = 0.60 \text{ V}$ ,  $R_d = 20 \text{ m}\Omega$



➡ Diode conduction losses:  $P_{diode} = V_{T0} I_{out} + R_d I_{sec,rms}^2$

$$P_{diode} = 0.60 \times 3.2 + 0.02 \times 5.8^2 = 2.60 \text{ W}$$

➡ Heatsink:  $R_{\theta SA} = \frac{T_J - T_A}{P_{cond}} - R_{\theta JC} - R_{\theta CS} = \frac{110 - 50}{2.6} - 2.0 - 1.6$

$$R_{\theta SA} \approx 19^\circ\text{C} / \text{W}$$

# Output Capacitor Selection

□ Maximum output voltage ripple:  $V_{ripple} = 2\% V_{out} = 0.38 \text{ V}$

➡ Maximum ESR of output capacitor:

$$R_{Cout} \leq \frac{V_{ripple}}{I_{sec,peak}} = \frac{0.38}{13.2} \approx 30 \text{ m}\Omega$$

➡ RMS current circulating in  $C_{out}$ :

$$I_{Cout,RMS} = \sqrt{I_{sec,rms}^2 - I_{out}^2} = \sqrt{5.8^2 - 3.2^2} \approx 4.83 \text{ A}$$

Two 1200- $\mu\text{F}$  capacitors (3.2 Arms, 13 m $\Omega$  / capacitor)

➡ Losses in  $C_{out}$ :

$$P_{Cout} = R_{Cout} I_{Cout,RMS}^2 = 6.5 \text{ m} \times 4.83^2 = 0.15 \text{ W}$$

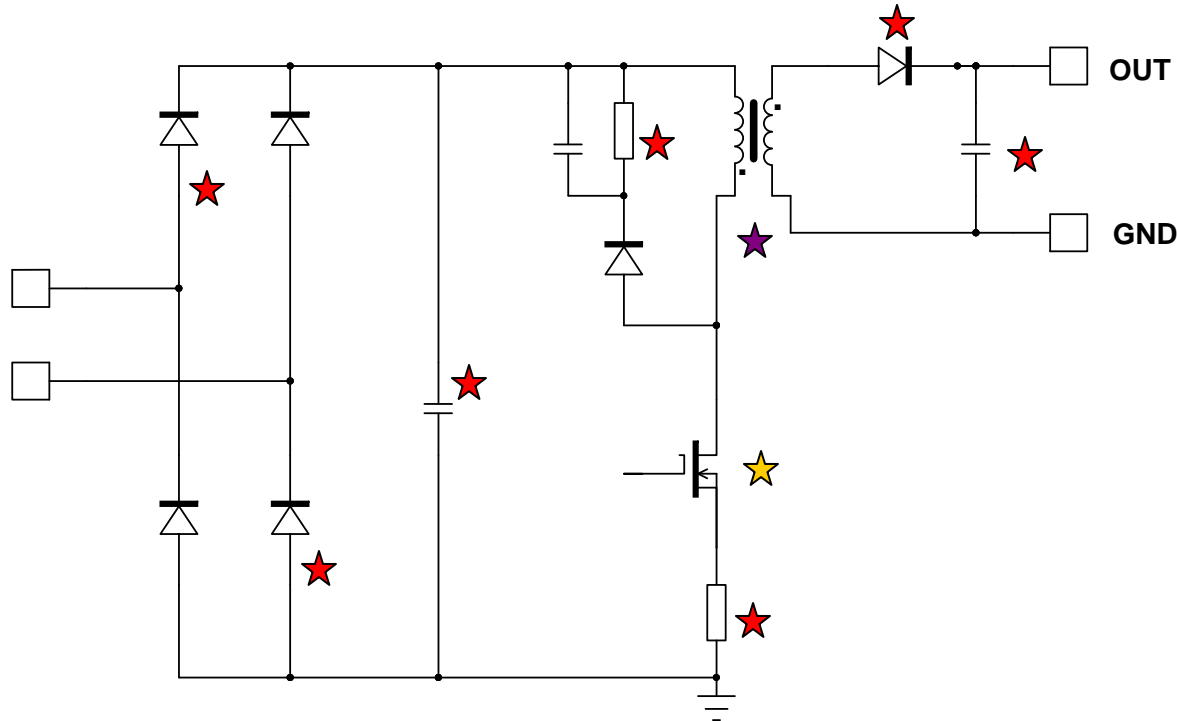
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# Origin of Losses



- ★ Conduction losses in ESR of capacitor, diodes, clamp resistor, sense resistor
- ★ Conduction and switching losses in MOSFET
- ★ Copper and core losses in inductor



# Switching Losses at Turn-On

❑ Traditional approach:

$$P_{sw,on} = \frac{1}{2} C_{OSS} \left( V_{in,min} - \frac{V_{out} + V_f}{N_{ps}} \right)^2 F_{sw}$$

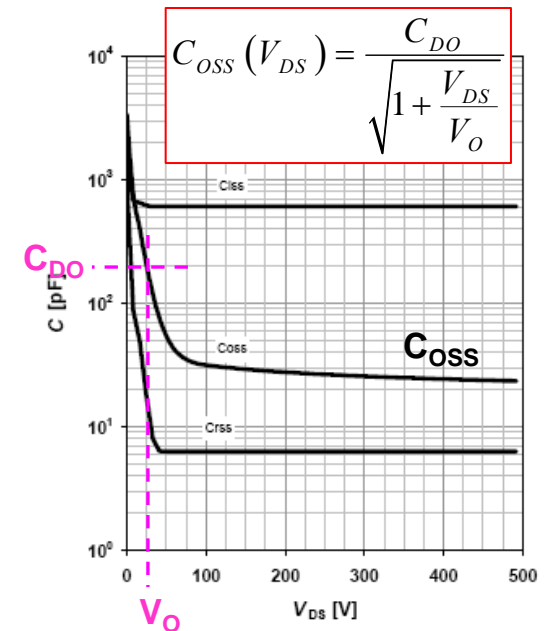
$$= \frac{1}{2} 200p \left( 100 - \frac{19 + 0.8}{0.25} \right)^2 45k = 2 \text{ mW}$$

❑ Use the **variable** capacitor for losses calculation:

$$P_{sw,on} = \frac{2}{3} \left( V_{in,min} - \frac{V_{out} + V_f}{N_{ps}} \right)^{\frac{3}{2}} C_{DO} \sqrt{V_O} F_{sw}$$

$$= \frac{2}{3} \left( 100 - \frac{19 + 0.8}{0.25} \right)^{\frac{3}{2}} 200p \sqrt{25} 45k = 3.6 \text{ mW}$$

➡ Losses are negligible!



# Bulk Capacitor Losses

- Power losses caused by ac current in the bulk capacitor ESR (350 mΩ)

$$P_{bulk} = R_{bulk} I_{bulk,rms}^2$$

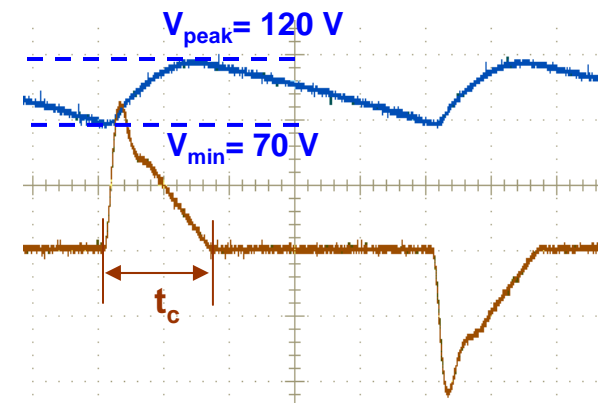
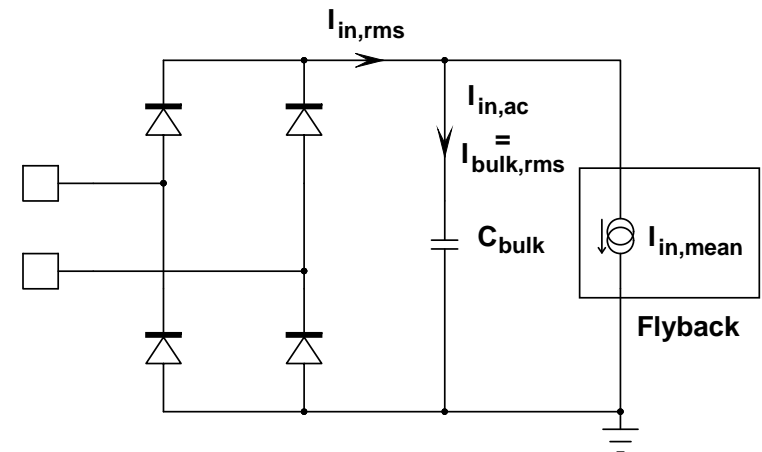
$$I_{bulk,rms} = I_{in,mean} \sqrt{\frac{2}{3F_{line} t_c} - 1}$$

Conduction time of diode bridge

$$t_c = \frac{1}{4F_{line}} - \frac{\arcsin\left(\frac{V_{min}}{V_{peak}}\right)}{2\pi F_{line}} = 3ms$$

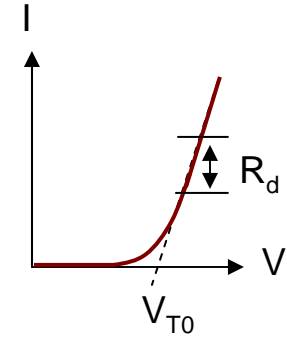
➡  $I_{bulk,rms} = 0.70 \sqrt{\frac{2}{3 \times 50 \times 3m} - 1} = 1.3A$

➡  $P_{bulk} = 350m \times 1.3^2 = 0.59W$



# Diode Bridge Losses

- ❑ KBU4K
- ❑ From datasheet curves:  $V_{T0} = 0.70 \text{ V}$  ,  $R_d = 70 \text{ m}\Omega$
- ❑ There are two diodes conducting at the same time.
- ❑ Two diodes always conduct during half a cycle:



$$P_{diodes} = 2 \left( V_{T0} \frac{I_{in,mean}}{2} + R_d I_{d,rms}^2 \right) = 2 \times (0.7 \times 0.35 + 70m \times 1.04^2) = 640 \text{ mW}$$

$$I_{d,rms} = \frac{I_{in,mean}}{\sqrt{3 F_{line} t_c}} = \frac{0.70}{\sqrt{3 \times 50 \times 3m}} = 1.04 \text{ A}$$

- ❑ As two diodes always conduct, over a cycle, the bridge power is:

$$\Rightarrow P_{KBU4K} = 2P_{diodes} = 1.28 \text{ W}$$



# RCD Clamp Losses

- Power losses in clamping resistor:

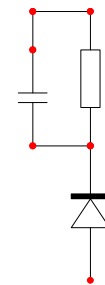
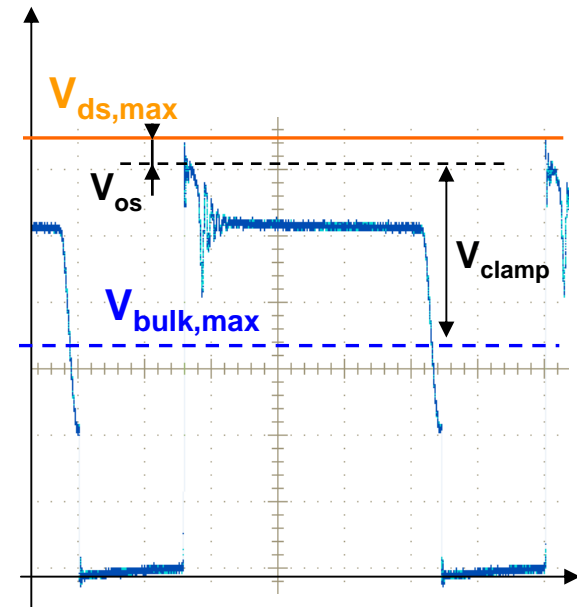
$$P_{Rclamp} = \frac{V_{clamp}^2}{R_{clamp}}$$

- $R_{clamp}$  can be calculated with:

$$R_{clamp} = \frac{2V_{clamp} \left( V_{clamp} - \frac{V_{out} + V_f}{N_{ps}} \right)}{F_{sw} L_{leak} I_{peak}^2}$$

$$R_{clamp} = \frac{2 \times 120 \left( 120 - \frac{19 + 0.8}{0.25} \right)}{45k \times 2.8\mu \times 3.32^2} = 7k\Omega \Rightarrow R_{clamp} = 7.3k\Omega$$

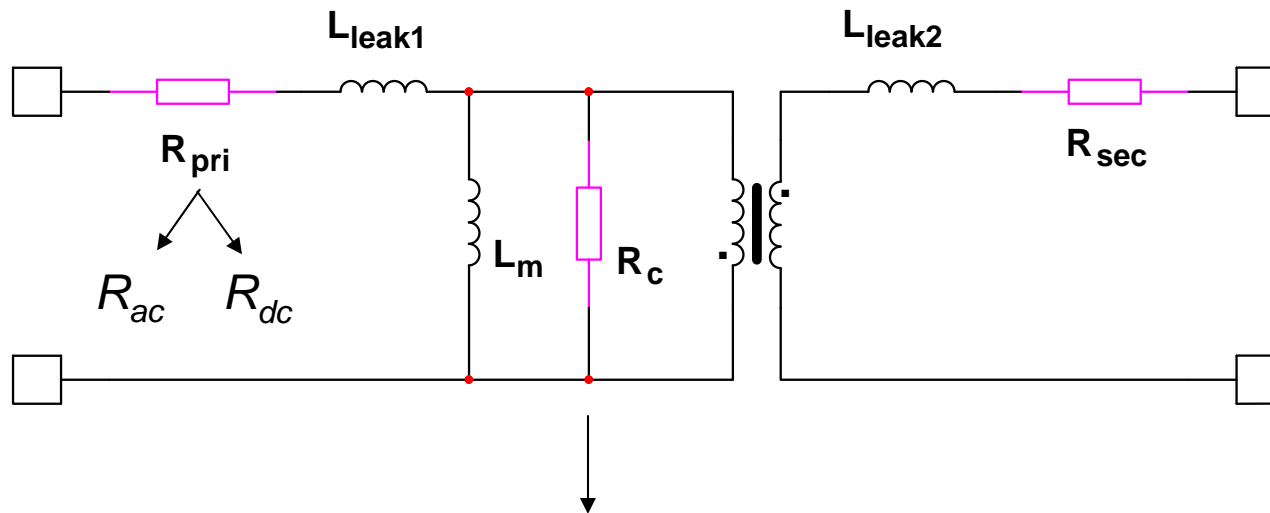
➔  $P_{Rclamp} = \frac{120^2}{7.3k} \approx 2W$



# Inductor Losses

$$P_{R_{pri}} = R_{pri,dc} I_{in,mean}^2 + R_{pri,ac} I_{pri,ac}^2$$

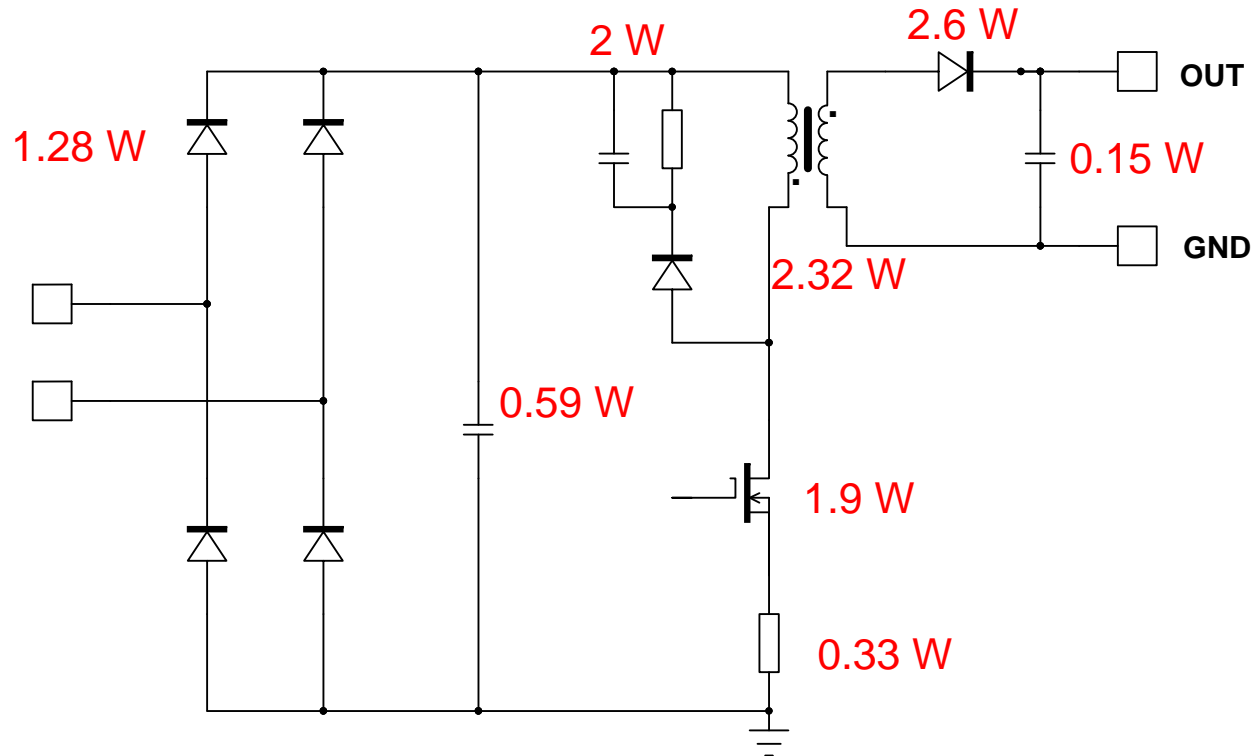
$$P_{R_{sec}} = R_{sec,dc} I_{out}^2 + R_{sec,ac} I_{sec,ac}^2$$



Core losses:

Determined from data provided by  
the manufacturer

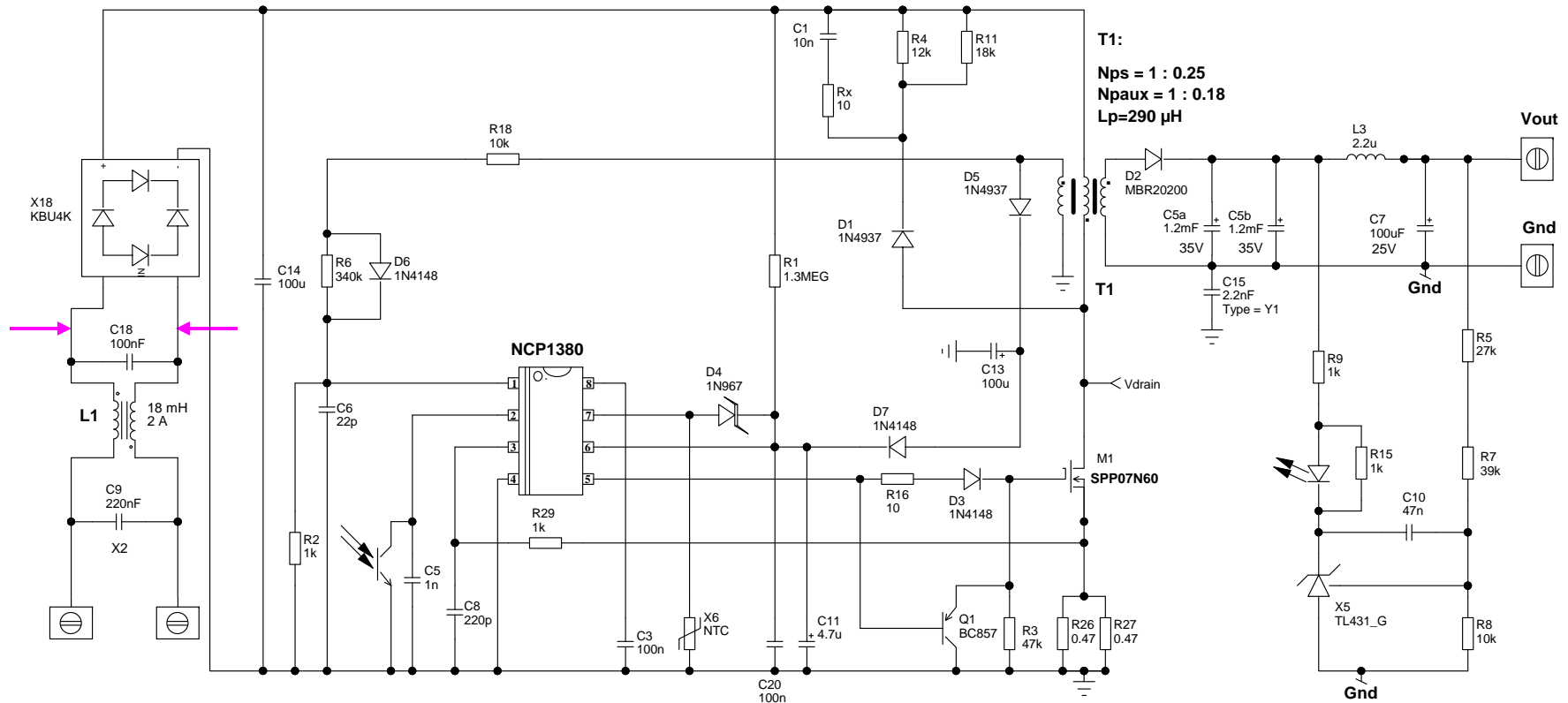
# Losses Summary for the 19 V / 60 W Adapter



❑ Total losses:  $P_{loss} = 11.14 W$

❑ Estimated efficiency:  $\eta = \frac{P_{out}}{P_{out} + P_{loss}} = \frac{60}{60 + 11.14} \approx 84.4\%$

# Comparison with Real Adapter



□ Efficiency measured after the EMI filter at 85 Vrms (120 Vdc)

Measured	$P_{out} = 60.1 \text{ W}$	$P_{in} = 70.9 \text{ W}$	$\eta = 84.8\%$
Calculated	$P_{out} = 60 \text{ W}$	$P_{in} = 71.14 \text{ W}$	$\eta = 84.4\%$



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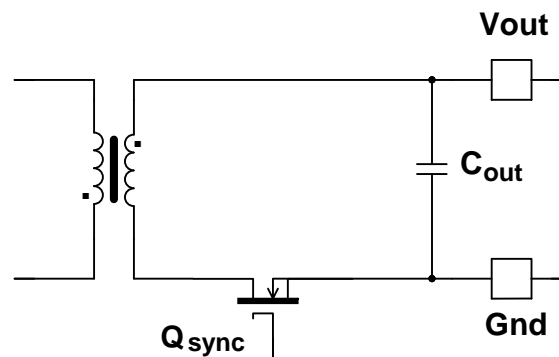




# Synchronous Rectification

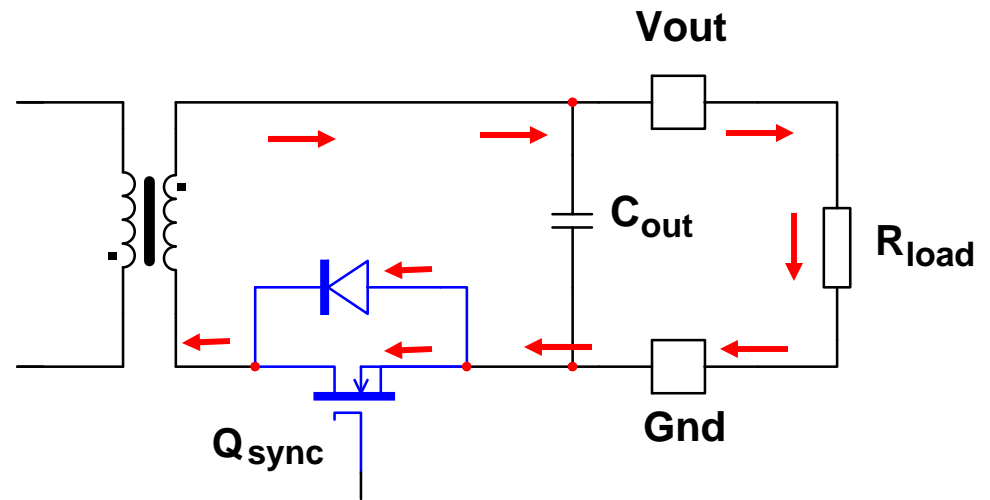
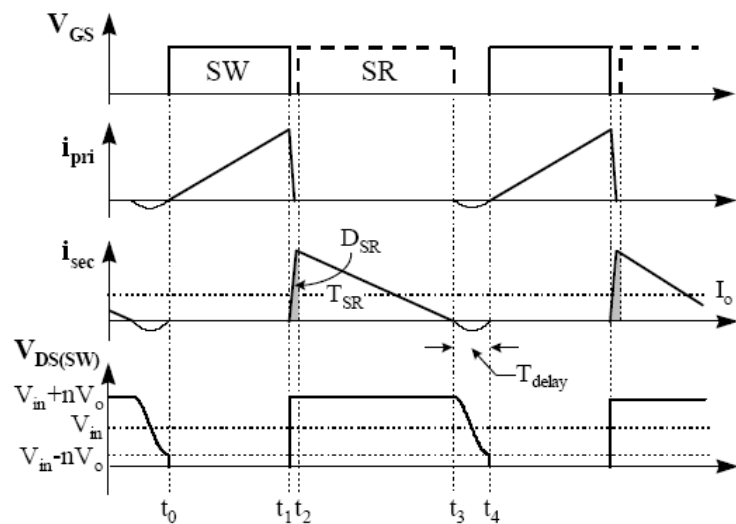
- ❑ High rms currents in secondary side → increased losses in the output diode.
- ❑ Replace the diode with a MOSFET featuring a very low  $R_{DS(on)}$ .

+	-
Increased efficiency	Degraded standby power



# Synchronous Rectification Basics

- ❑ During  $(t_2-t_1)$ , current flows into the body diode
- ❑ Minimize  $(t_2-t_1)$  duration to reduce body diode conduction.



- ❑ Body diode conducts before the MOSFET is turned-on.

➡ No switching losses

# Losses in the Sync. Rect. Switch

$$P_{Qsync} = P_{ON} + P_{Qdiode}$$

- Body diode conduction losses

$$P_{Qdiode} = V_f I_{out} F_{sw} t_{delay}$$

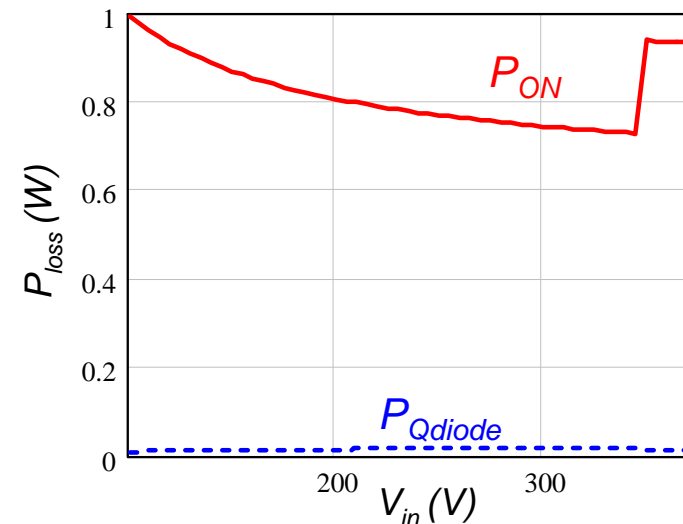
➡ Low if  $t_{delay}$  small

- MOSFET conduction losses

$$P_{ON} = R_{DS(on)120} I_{sec,rms}^2$$

- Losses in the Sync. Rect. switch are mainly conduction losses.

Body diode and MOS conduction losses for the 19 V/65 W adapter

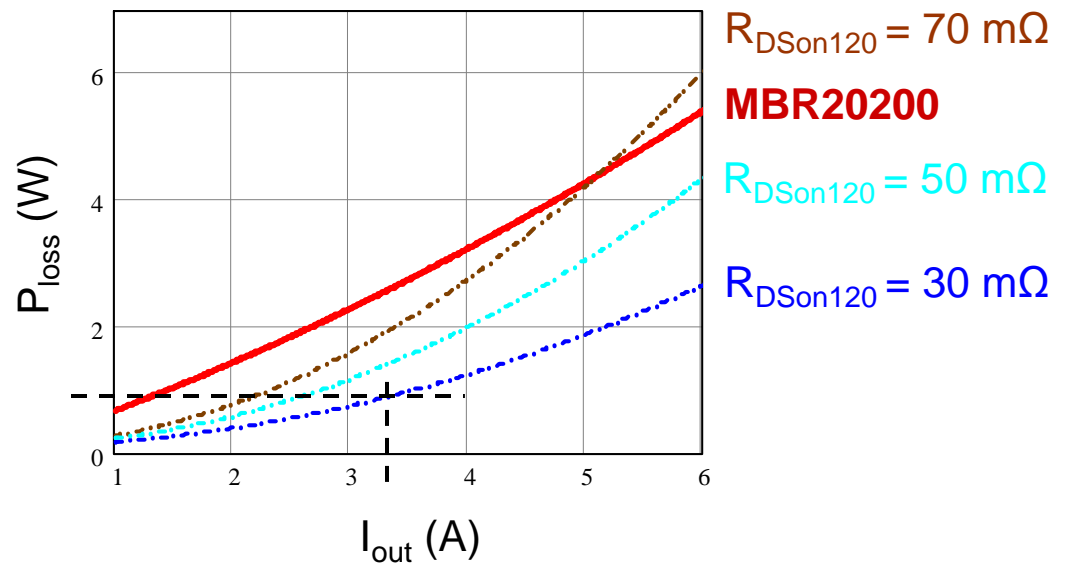


# Choosing the Sync. Rect. MOSFET

- Target around 1 W conduction losses in Sync. Rect. switch to avoid using an heatsink.

$$R_{DSon120} = \frac{1W}{I_{sec,RMS}^2}$$

$V_{out} = 19V$   
 $F_{sw,min} = 45kHz$   
Universal mains



# 60 W QR Sync. Rect. Calculations

□ Body diode losses:  $P_{Qdiode} = V_f I_{out} F_{sw} t_{delay} = 0.7 \times 3.2 \times 45000 \times 70n$

$$P_{Qdiode} = 7 \text{ mW}$$

□ MOSFET losses:  $P_{ON} = R_{DS(on)120} I_{sec,rms}^2 = 30m \times 5.8^2$

$$P_{ON} = 1 \text{ W}$$



□ Total Sync. Rect switch losses:  $P_{Qsync} = 1 + 0.007 \approx 1 \text{ W}$

□ Losses into the MBR20200 diode: 2.6 W

➡ Power loss saving: 1.6 W

# Using NCP4302

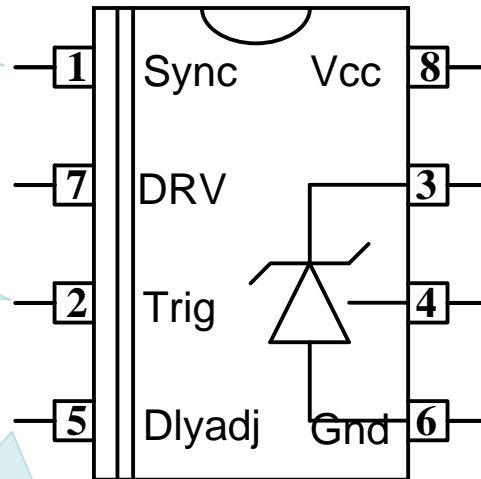
CS input connected to the drain of the MOSFET

Trigger input for CCM. Connect it to Gnd if not used.

Adjust:

- minimum **on-time** of the Sync. MOSFET
- the minimum **off-time** of the Sync. MOSFET to be immune to drain ringing of the primary switch.

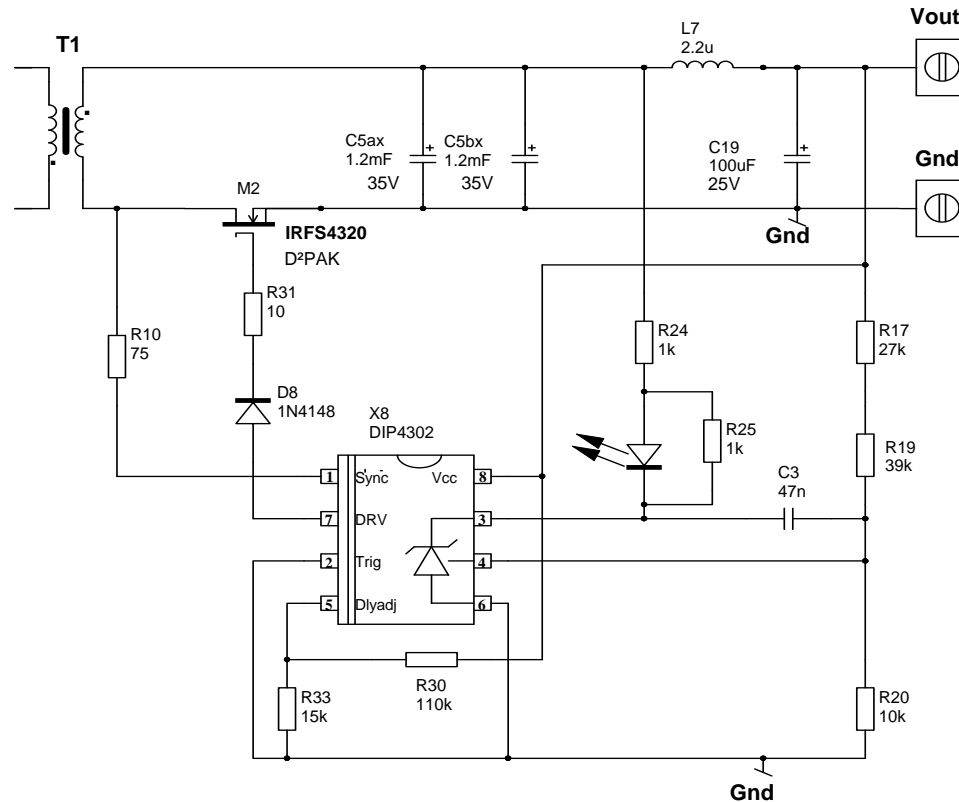
## NCP4302



TL431 Cathode

TL431  $V_{REF}$  input

# Measured Efficiency with Sync. Rect.

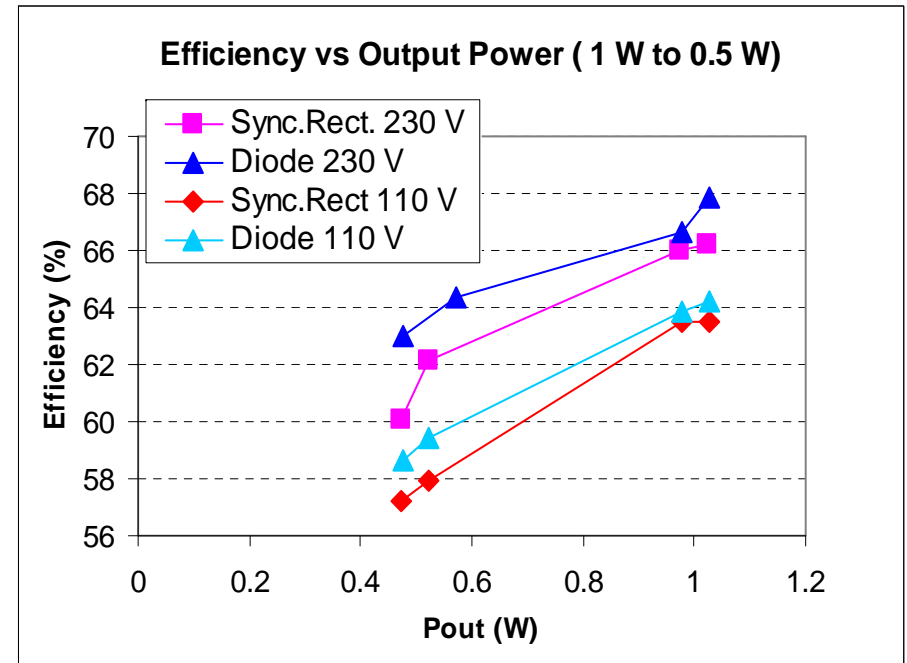
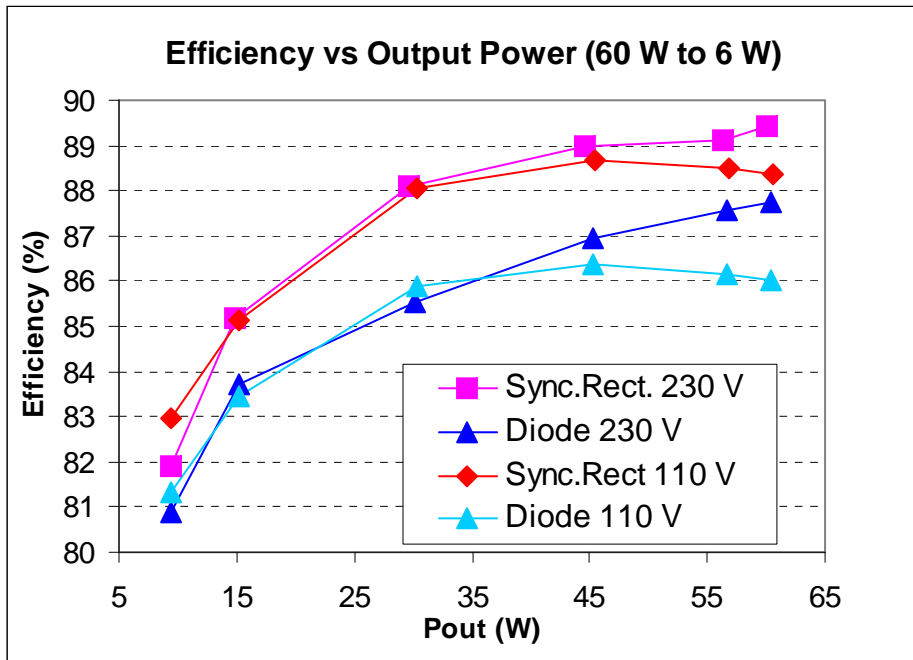


- Efficiency measured after the EMI filter at 85 Vrms

Measured	$P_{out} = 60.1 \text{ W}$	$P_{in} = 69.25 \text{ W}$	$\eta = 86.8\%$
Calculated	$P_{out} = 60 \text{ W}$	$P_{in} = 69.54 \text{ W}$	$\eta = 86.3\%$



# Measured efficiency with Diode and Sync. Rect.



<b>Standby power</b>	230 Vrms	Diode	$P_{in} = 110 \text{ mW}$
		Sync. Rect.	$P_{in} = 140 \text{ mW}$
	85 Vrms	Diode	$P_{in} = 90 \text{ mW}$
		Sync. Rect.	$P_{in} = 122 \text{ mW}$



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# Agenda

1. Quasi-Resonant (QR) Generalities
2. Limiting the free-running frequency
3. Calculating the QR inductor
4. Choosing the Power Components
5. Predicting the Losses of a QR Power Supply
6. Synchronous Rectification
- 7. Loop Compensation**
8. NCP1380, our future QR controller

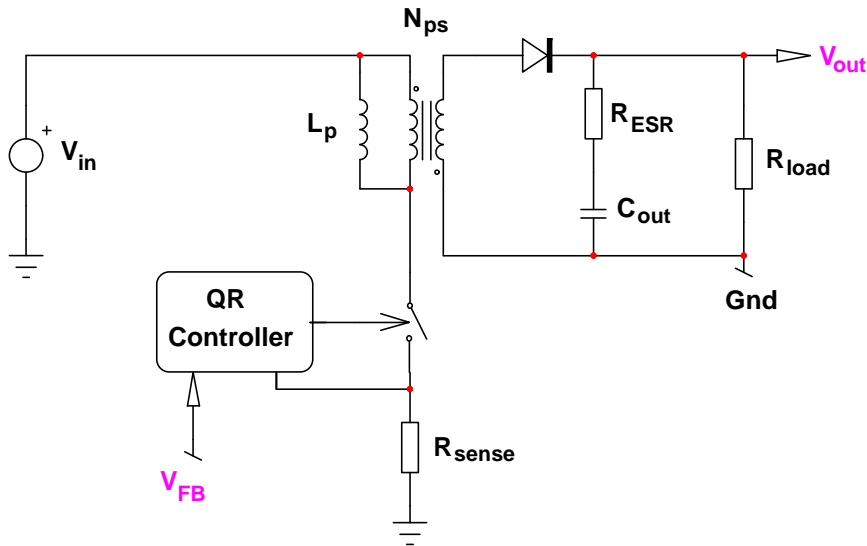


# Power Stage

- ❑ Borderline Conduction Mode Approximation.
- ❑ Neglect the high frequency Right Half Plane Zero (RHPZ)

➡ Open loop transfer function of power stage

$$\frac{\hat{V}_{out}(s)}{\hat{V}_{FB}(s)} = H(s) = \frac{\eta V_{IN} R_{load}}{2\alpha R_{sense} (2V_{out} + N_{ps} V_{IN})} \left( \frac{R_{ESR} C_{out} s + 1}{(R_{eq} + R_{ESR}) C_{out} s + 1} \right)$$



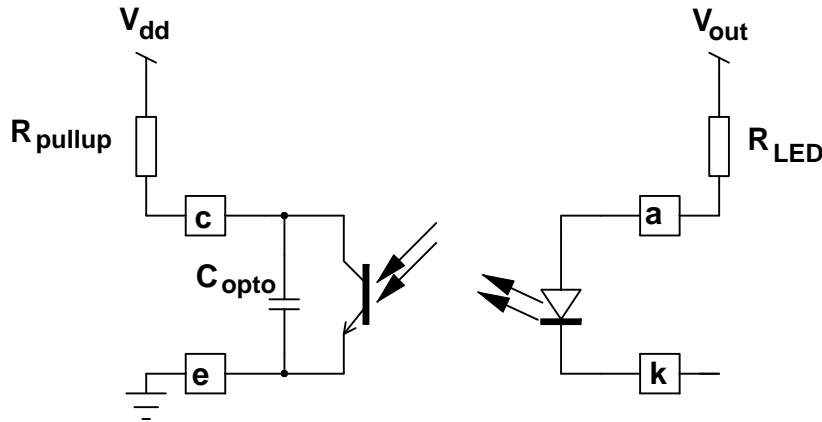
$$R_{eq} = R_{load} \frac{V_{out} + N_{ps} V_{IN}}{2V_{out} + N_{ps} V_{IN}}$$

$\alpha$ : internal dividing ratio between FB and CS from datasheet (typically 3 or 4)

# The Optocoupler Pole

- Parasitic capacitance of optocoupler → opto pole

$$S_{opto} = \frac{1}{1 + sR_{pullup}C_{opto}}$$



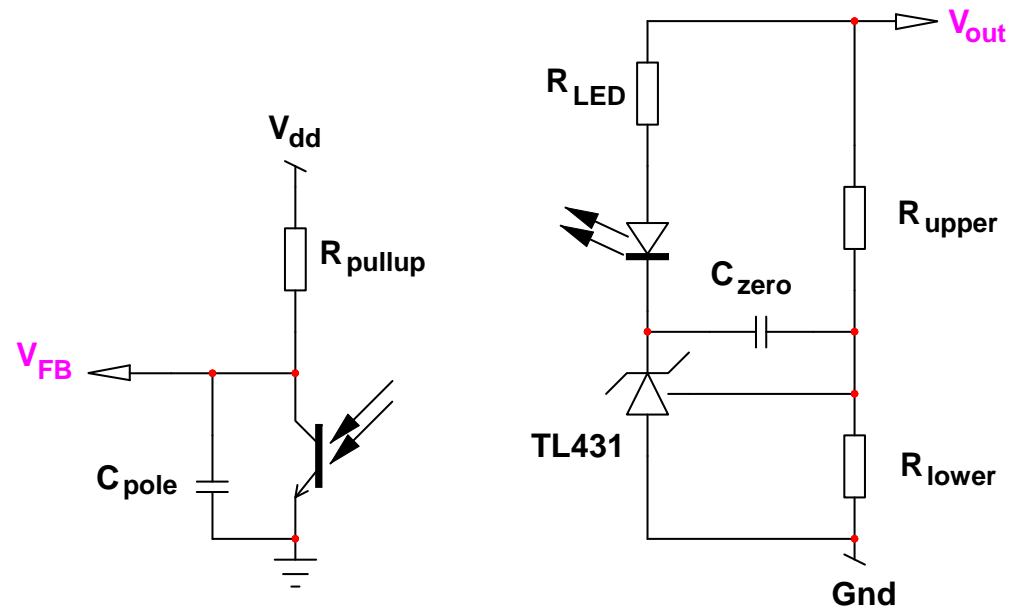
Optocoupler characterization reveals a pole at 5 kHz

- If  $f_{opto}$  close to  $f_c$  ( $R_{pullup}$  high) → phase margin degradation

➔ Include the optocoupler pole in the power stage to calculate the phase shift at the crossover frequency.

$$H(s) = \frac{\eta V_{IN} R_{load}}{2\alpha R_{sense} (2V_{out} + N_{ps} V_{IN})} \frac{(R_{ESR} C_{out} s + 1)}{((R_{eq} + R_{ESR}) C_{out} s + 1)(R_{pullup} C_{opto} s + 1)}$$

# Compensating the QR with TL431



Low frequency zero

$$G(s) = \frac{V_{FB}(s)}{V_{out}(s)} = \underbrace{-CTR \frac{R_{pullup}}{R_{LED}}}_{\text{Mid-band gain}} \underbrace{\left( \frac{sR_{upper}C_{zero} + 1}{sR_{upper}C_{zero}} \right)}_{\text{Pole at the origin}} \underbrace{\left( \frac{1}{1 + sR_{pullup}C_{pole}} \right)}_{\text{High frequency pole}}$$

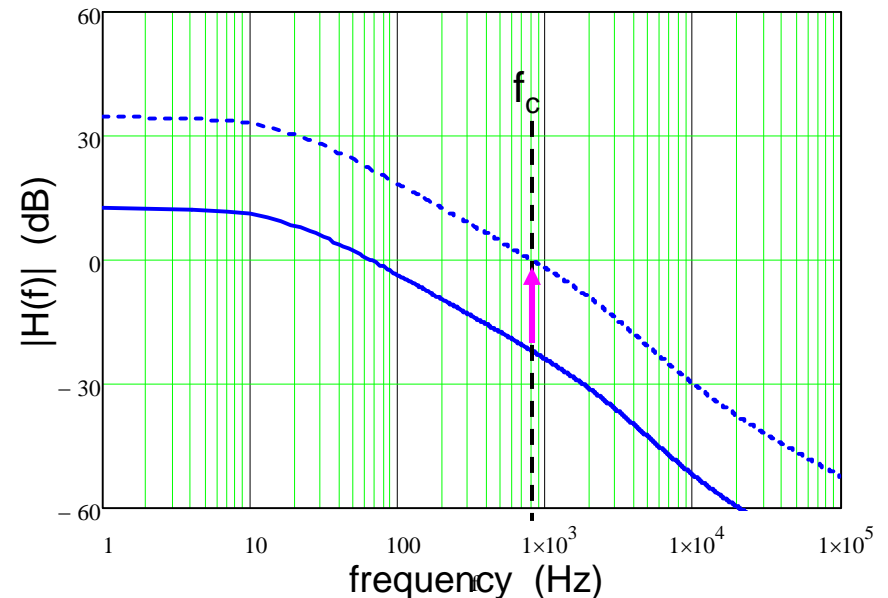
# Compensating the QR Converter

- Calculate  $f_c$  according to specified  $V_{out}$  undershoot for an output step load.

$$f_c \approx \frac{\Delta I_{out}}{\Delta V_{out} C_{out} 2\pi}$$

- Calculate  $R_{LED}$  to boost the gain at crossover.

$$R_{LED} = CTR \frac{R_{pullup}}{10^{\frac{H(f_c)}{20}}}$$



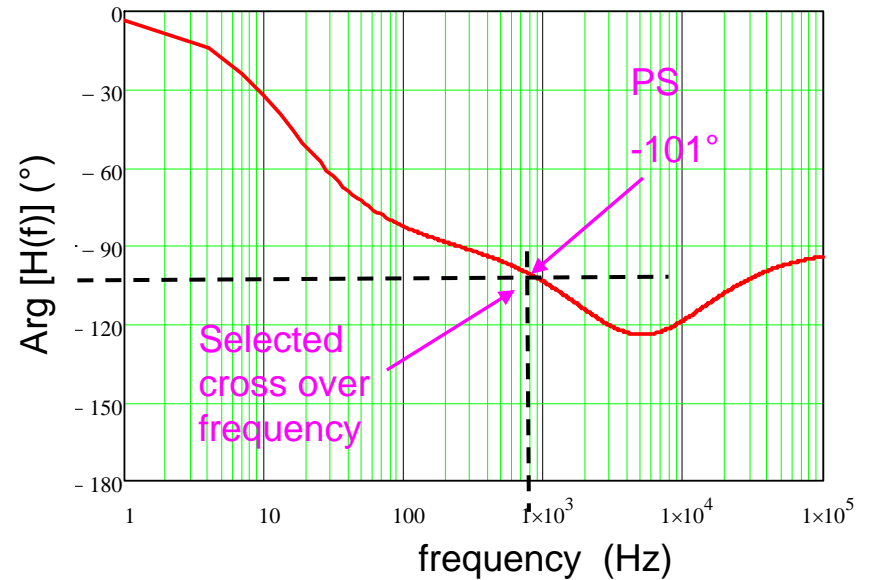
# K Factor Method

- Needed phase boost:

$$Boost = PM - PS - 90$$

$\uparrow$  Selected phase margin  
 $\uparrow$  Power stage phase shift

$$k = \tan\left(\frac{Boost}{2} + 45\right)$$



- Place the zero at frequency:  $f_c/k$

$$C_{zero} = \frac{1}{2\pi R_{upper} \frac{f_c}{k}}$$

- Place the pole at frequency:  $k*f_c$

$$C_{pole} = \frac{1}{2\pi R_{pullup} k f_c}$$



# Loop Compensation Example

- Specification:  $\Delta V_{out} = 230 \text{ mV}$  for  $\Delta I_{out} = 2.8 \text{ A}$

$$f_c \approx \frac{\Delta I_{out}}{\Delta V_{out} C_{out} 2\pi} = \frac{2.8}{230\text{m} \times 2.4\text{m} \times 2\pi} \Rightarrow f_c = 800 \text{ Hz}$$

- Calculated mid-band gain: 18.6 dB

$$R_{LED} = CTR \frac{R_{pullup}}{10^{\frac{-H(f_c)}{20}}} = 0.6 \frac{18\text{k}}{10^{\frac{22}{20}}} \approx 1\text{k}\Omega$$

- Needed Phase Boost:

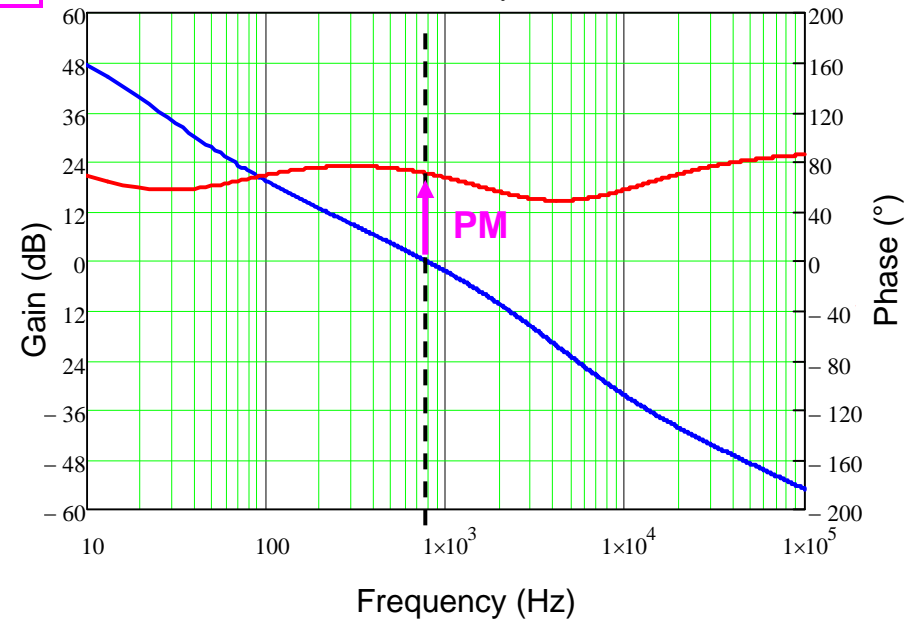
$$Boost = PM - PS - 90 = 70 - (-101) - 90 = 81^\circ$$

$$k = \tan\left(\frac{81}{2} + 45\right) \approx 12.5$$

$$C_{zero} = \frac{1}{2\pi R_{upper} \frac{f_c}{k}} = \frac{1}{2\pi \times 66\text{k} \times \frac{800}{12.5}} = 38 \text{ nF} \Rightarrow C_{zero} = 47 \text{ nF}$$

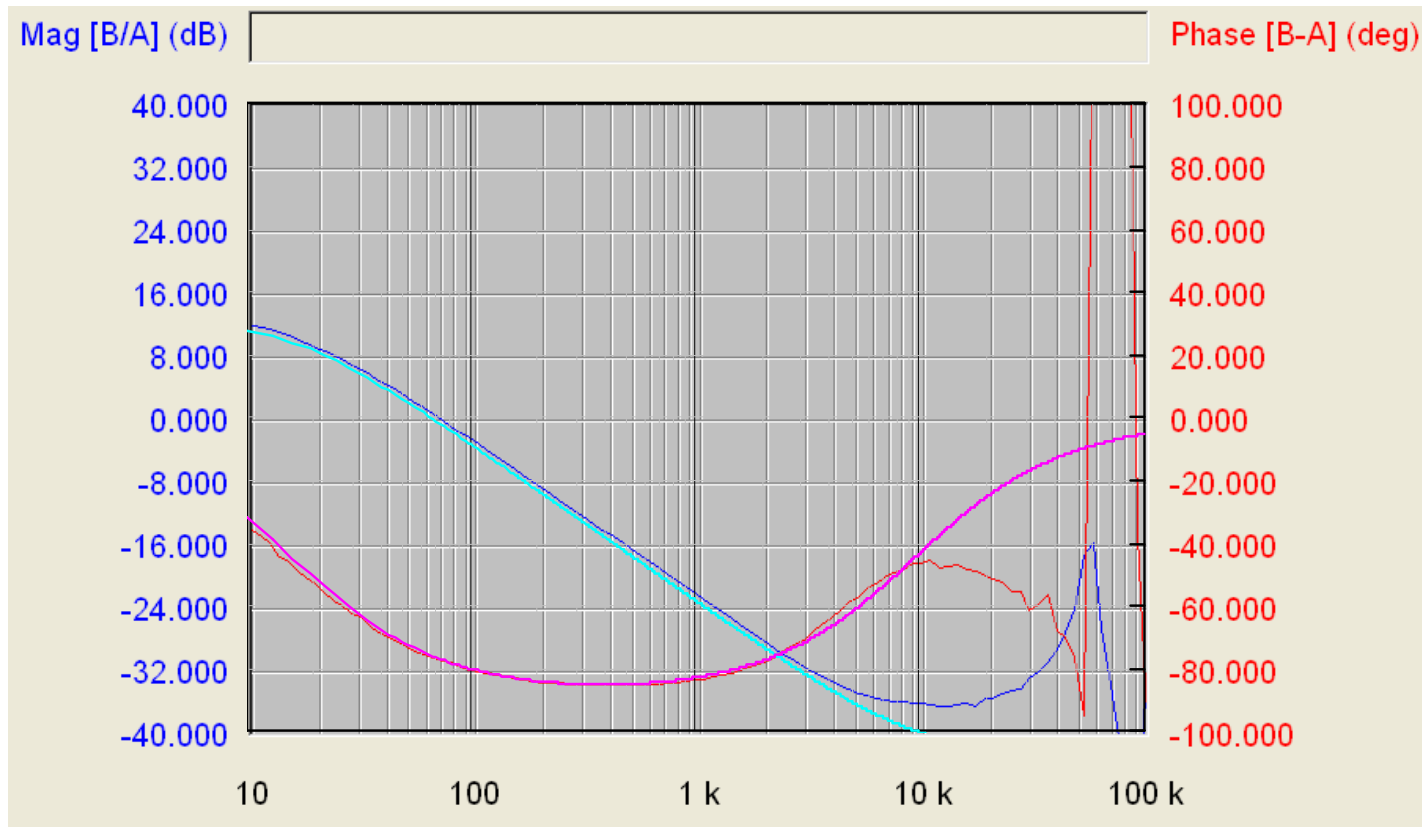
$$C_{pole} = \frac{1}{2\pi R_{pullup} k f_c} = \frac{1}{2\pi \times 18\text{k} \times 12.5 \times 800} = 0.8 \text{ nF} \Rightarrow C_{pole} = 1 \text{ nF}$$

$G(f)H(f)$



# Measurement versus Calculation

## □ Power stage gain and phase



- Measured gain
- Measured phase
- Calculated gain
- Calculated phase

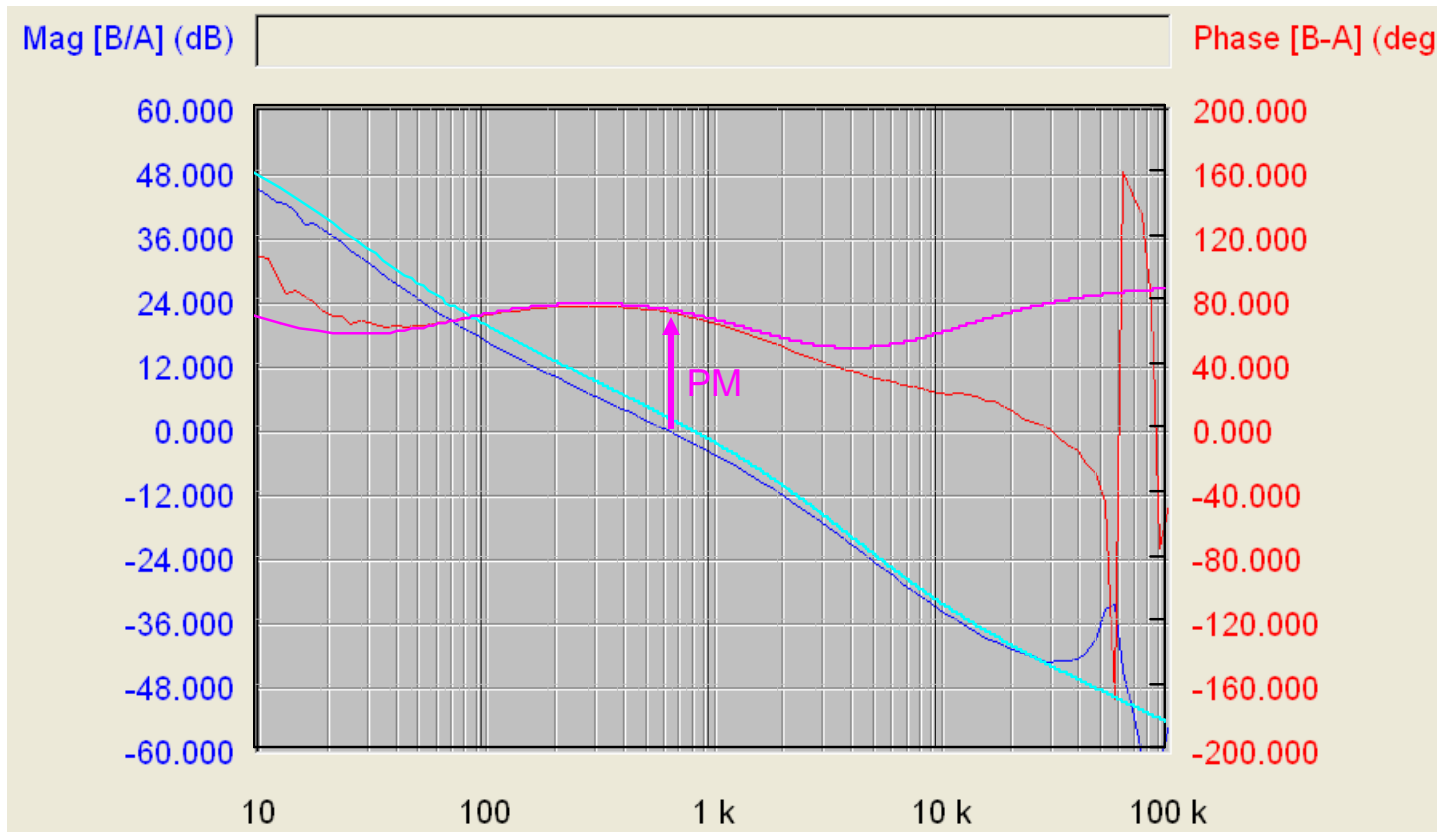
The RHPZ is around 20 kHz.





# Measurement versus Calculation

## □ Loop gain and phase



- Measured gain
- Measured phase
- Calculated gain
- Calculated phase



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# Agenda

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8. **NCP1380, our future QR controller**



# NCP1380 Features

## ❑ Operating modes:

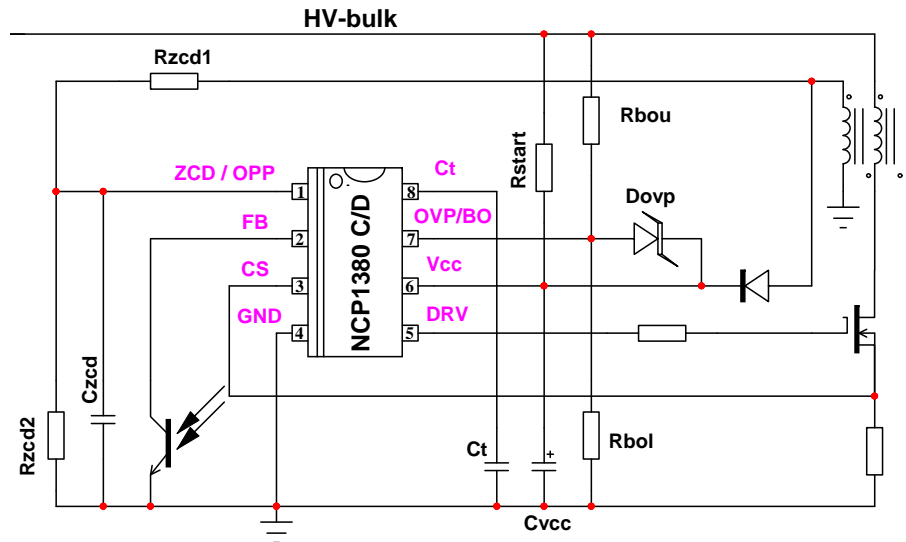
- QR current-mode with valley lockout for noise immunity
- VCO mode in light load for improved efficiency

## ❑ Protections

- Over power protection
- Soft-start
- Short circuit protection
- Over voltage protection
- Over temperature protection
- Brown-Out

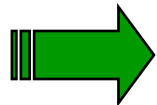
## ❑ Sampling date: end of January 09

## ❑ Mass production: end of Feb. 09



# Control Topology Comparison

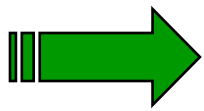
	Fixed $F_{sw}$	Quasi Resonant	Fixed On Time (FOT)(NCP1351)	QR-FOT (NCP1380)
<b>Frequency</b>	Fixed	Variable (max power at min $F_{sw}$ )	Variable (max power at max $F_{sw}$ )	Variable (min $P_{out}$ at min $F_{sw}$ )
<b>Light load efficiencies</b>	Normal (with skip mode or freq foldback)	Valley jumping problem (noise) Max $F_{sw}$ at min $P_{out}$	Best	Best
<b>Full load efficiencies</b>	Normal	Best	Normal	Best
<b>Operating mode</b>	CCM/DCM	BCM (Borderline)	CCM/DCM	BCM/DCM
<b>Transformer size</b>	Normal	Larger	Normal	Normal
<b>EMI</b>	Normal	Smaller	Normal	Smaller



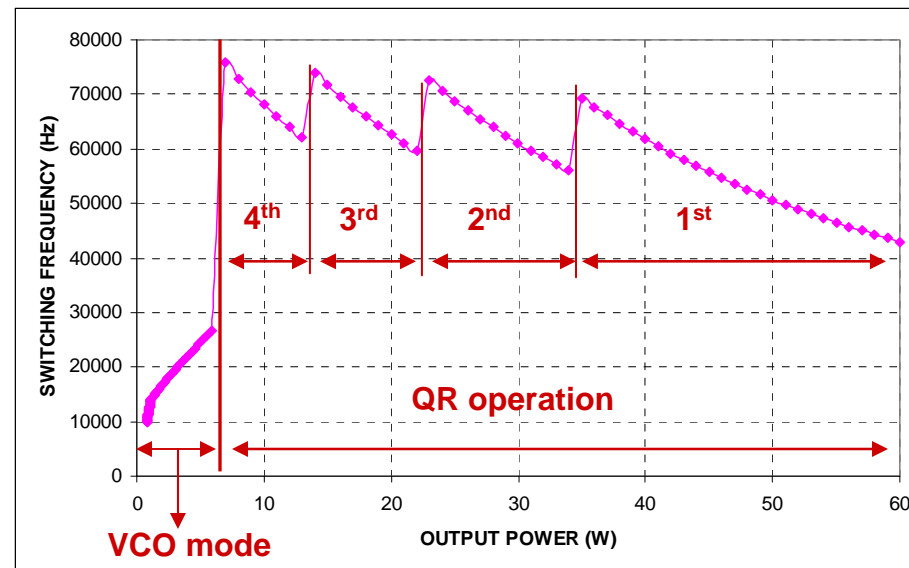
**QR-FOT: your key to improve standby (FOT) and optimize both efficiency and EMI (QR) for a wide output power range !!!**

# QR Mode with Valley Lockout

- ❑ As the load decreases, the controller changes valley (1<sup>st</sup> to 4<sup>th</sup> valley)
- ❑ The controller stays locked in a valley until the output power changes significantly.

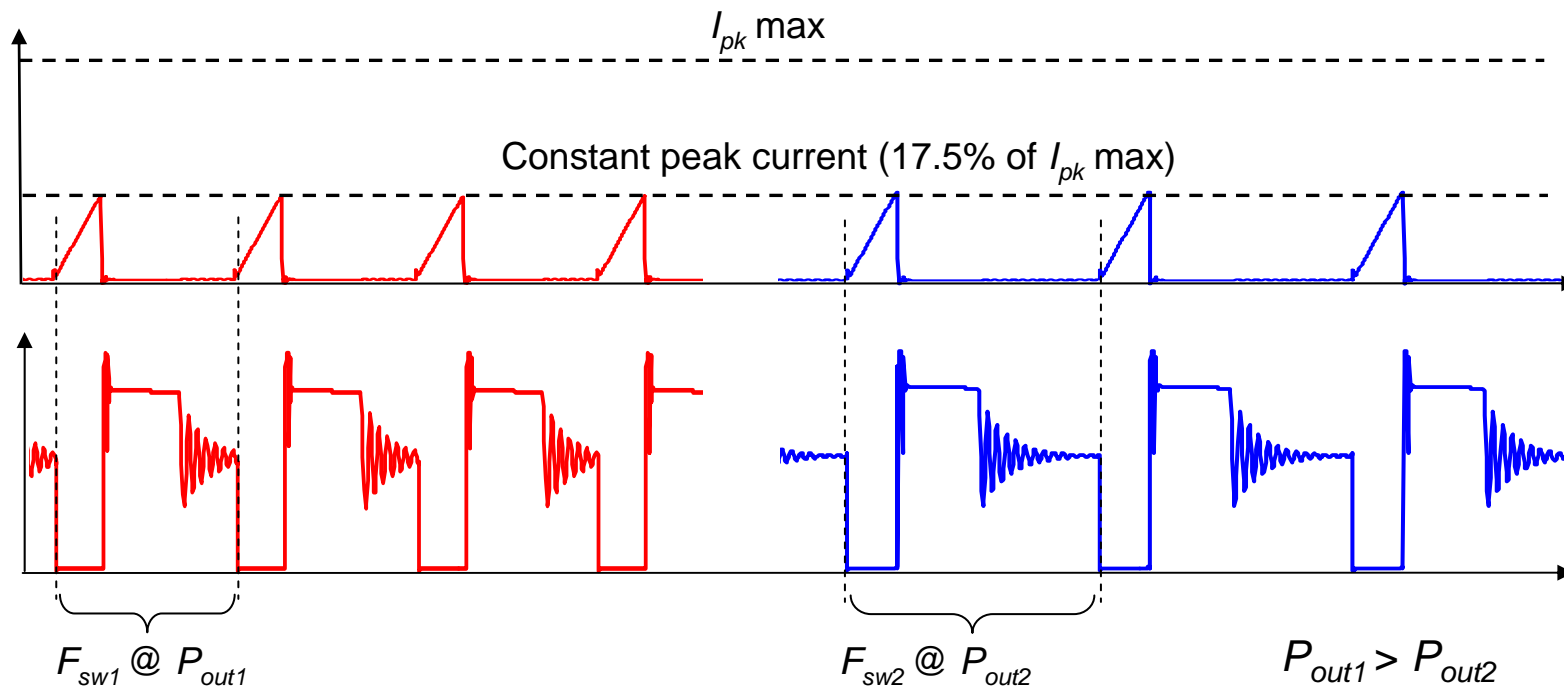


- No valley jumping noise
- Natural switching frequency limitation



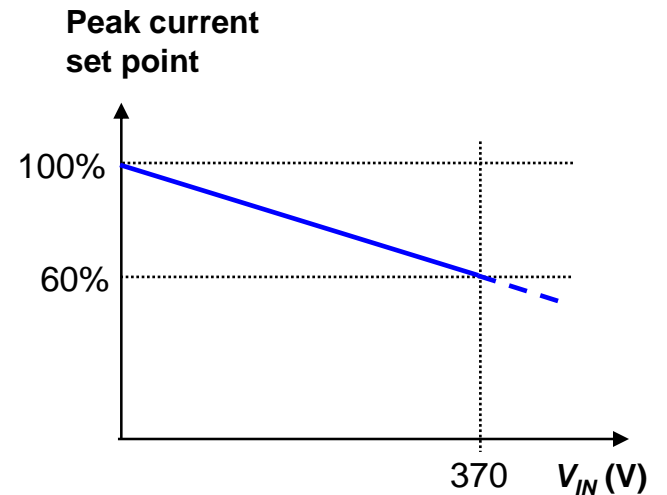
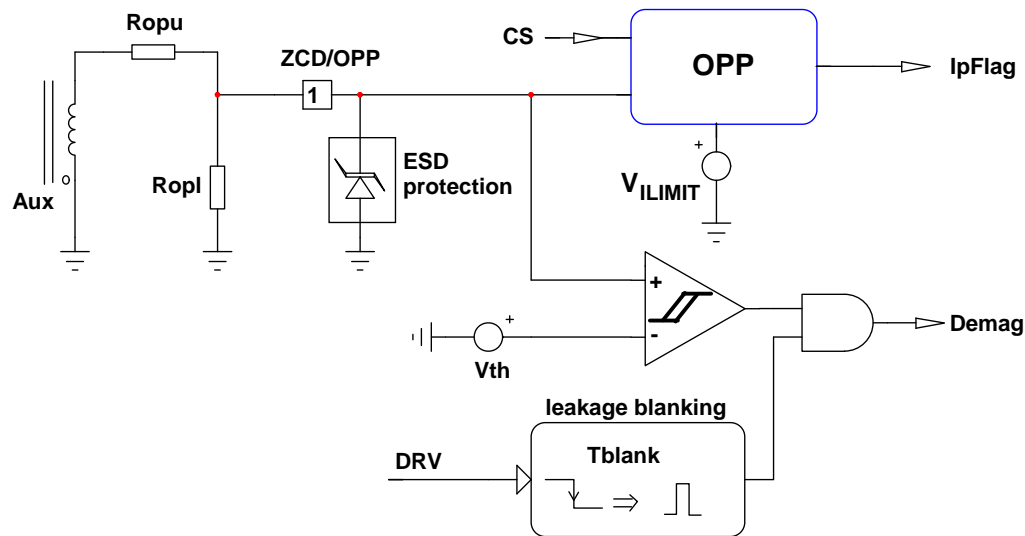
# VCO Mode

- ❑ Occurs when  $V_{FB} < 0.8\text{ V}$  ( $P_{out}$  decreasing) or  $V_{FB} < 1.6\text{ V}$  ( $P_{out}$  increasing)
- ❑ Fixed peak current (17.5% of  $I_{pk,max}$ ), variable frequency set by the FB loop.



# OPP: How does it Work?

- ❑  $L_{aux}$  with flyback polarity swings to  $-NV_{IN}$  during the on time.
- ❑ Adjust amount of OPP voltage with  $R_{opu} // R_{opl}$
- ❑  $V_{CS,max} = 0.8 V + V_{OPP}$



**Non dissipative OPP !**

# NCP1380 Versions

- 4 versions of NCP1380: A, B, C and D

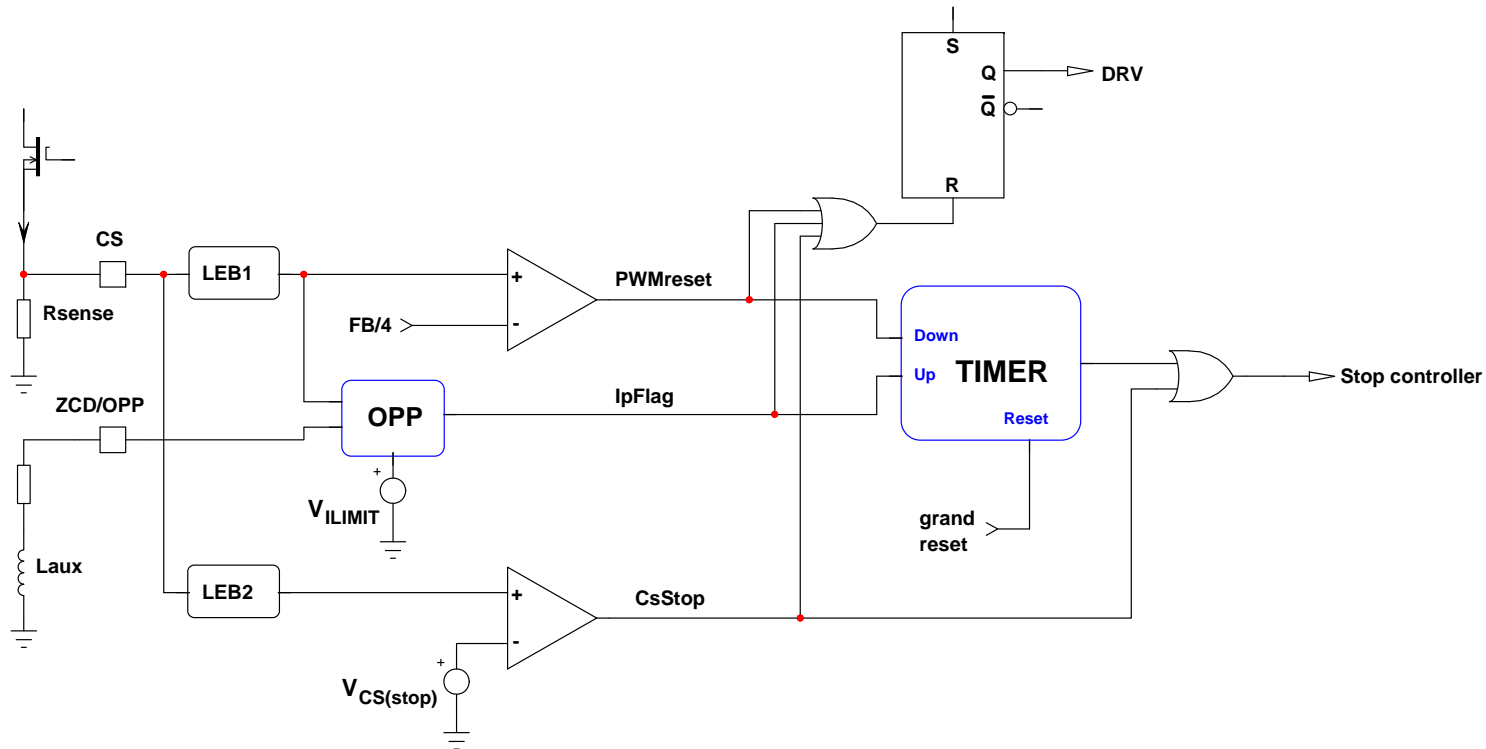
	OTP	OVP	BO	Auto-Recovery Over current protection	Latched Over current protection
NCP1380 / <b>A</b>	<b>X</b>	<b>X</b>			<b>X</b>
NCP1380 / <b>B</b>	<b>X</b>	<b>X</b>		<b>X</b>	
NCP1380 / <b>C</b>		<b>X</b>	<b>X</b>		<b>X</b>
NCP1380 / <b>D</b>		<b>X</b>	<b>X</b>	<b>X</b>	





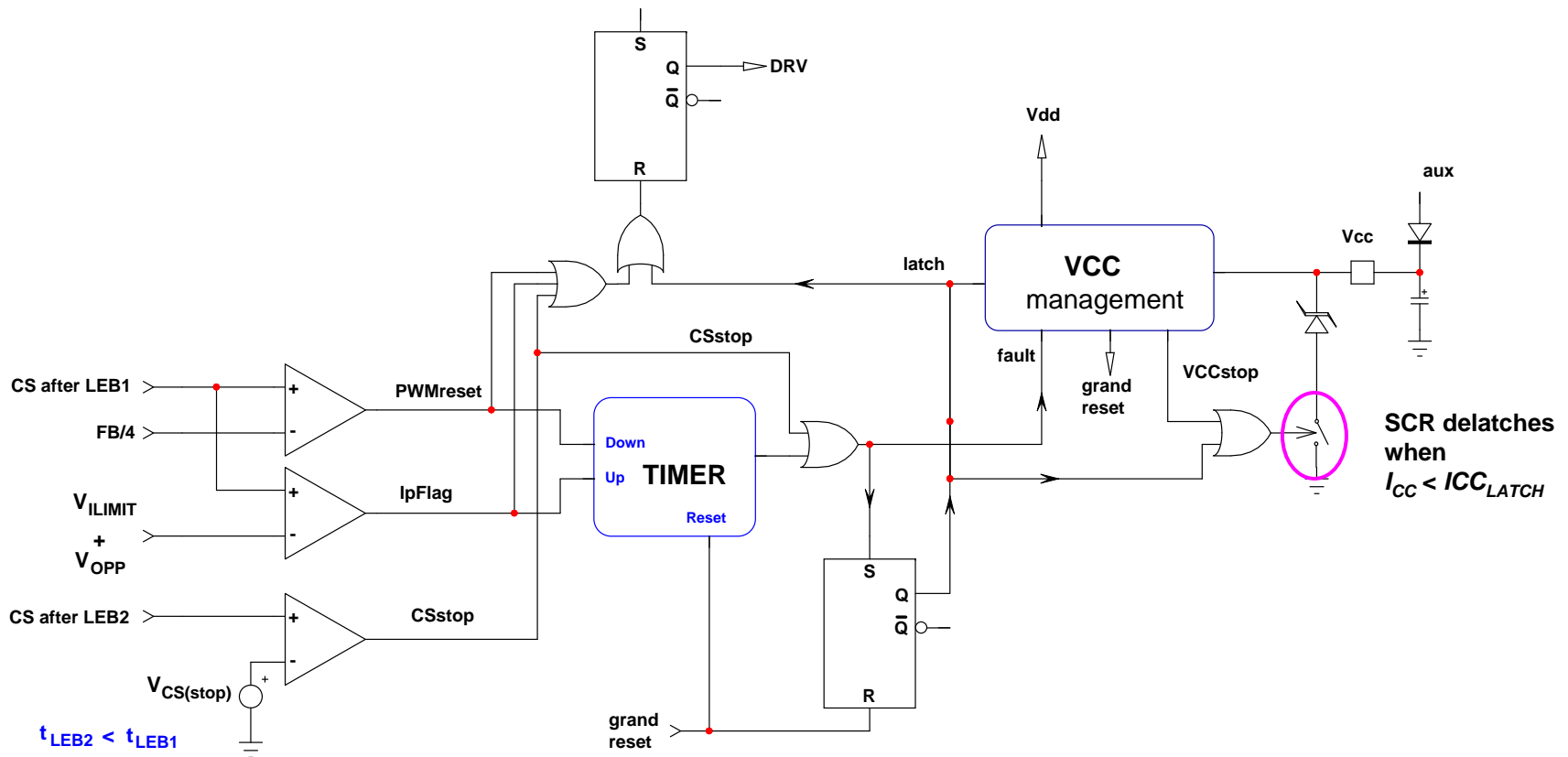
# Short-Circuit Protection

- ❑ Internal 80-ms timer for short-circuit validation.
- ❑ Additional CS comparator with reduced LEB to detect winding short-circuit.
- ❑  $V_{CS(stop)} = 1.5 * V_{ILIMIT}$



# Short-Circuit Protection (A and C Versions)

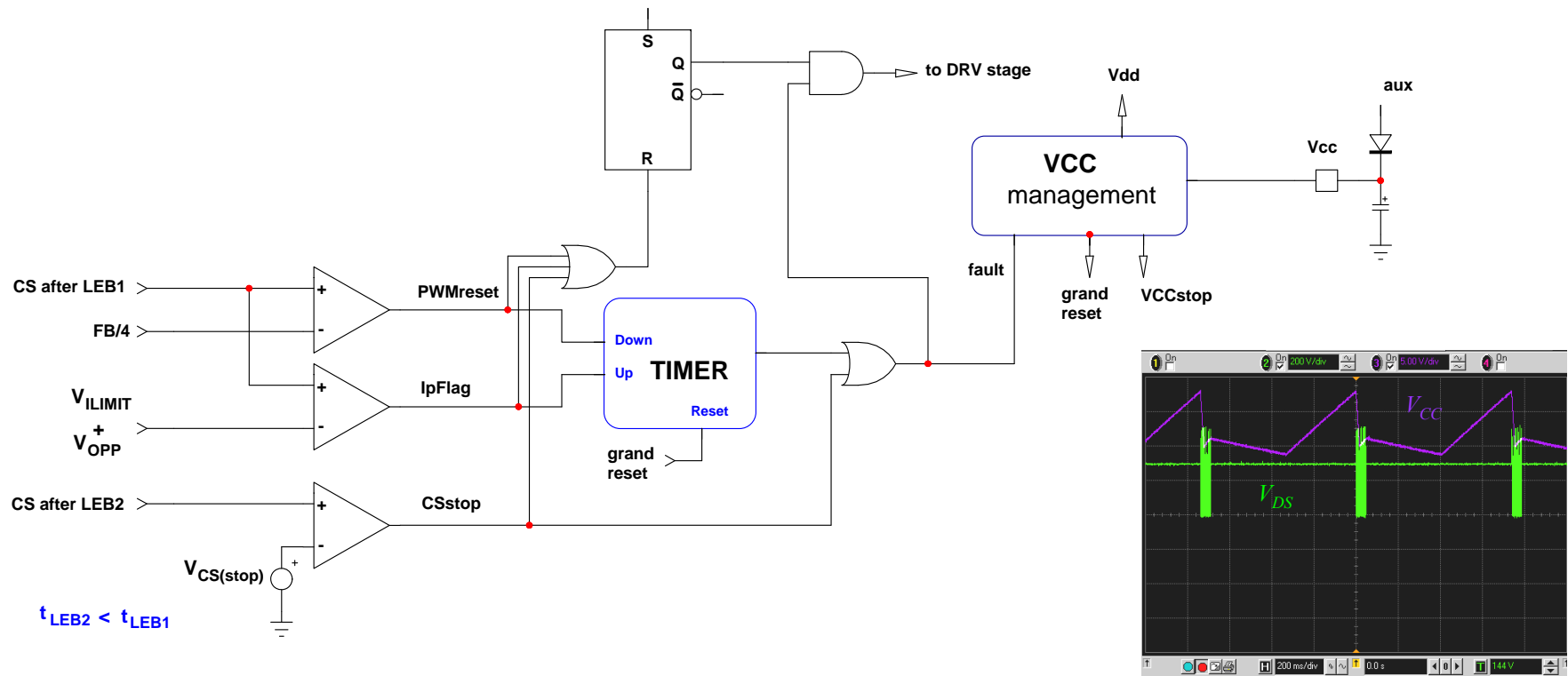
- ❑ A and C versions: the fault is latched.
- $V_{CC}$  is pulled down to 5 V and waits for ac removal.



# Short Circuit Protection (B and D)

- ❑ Auto-recovery short circuit protection: the controller tries to restart
- ❑ Auto-recovery imposes a low burst in fault mode.

➡ Low average input power in fault condition



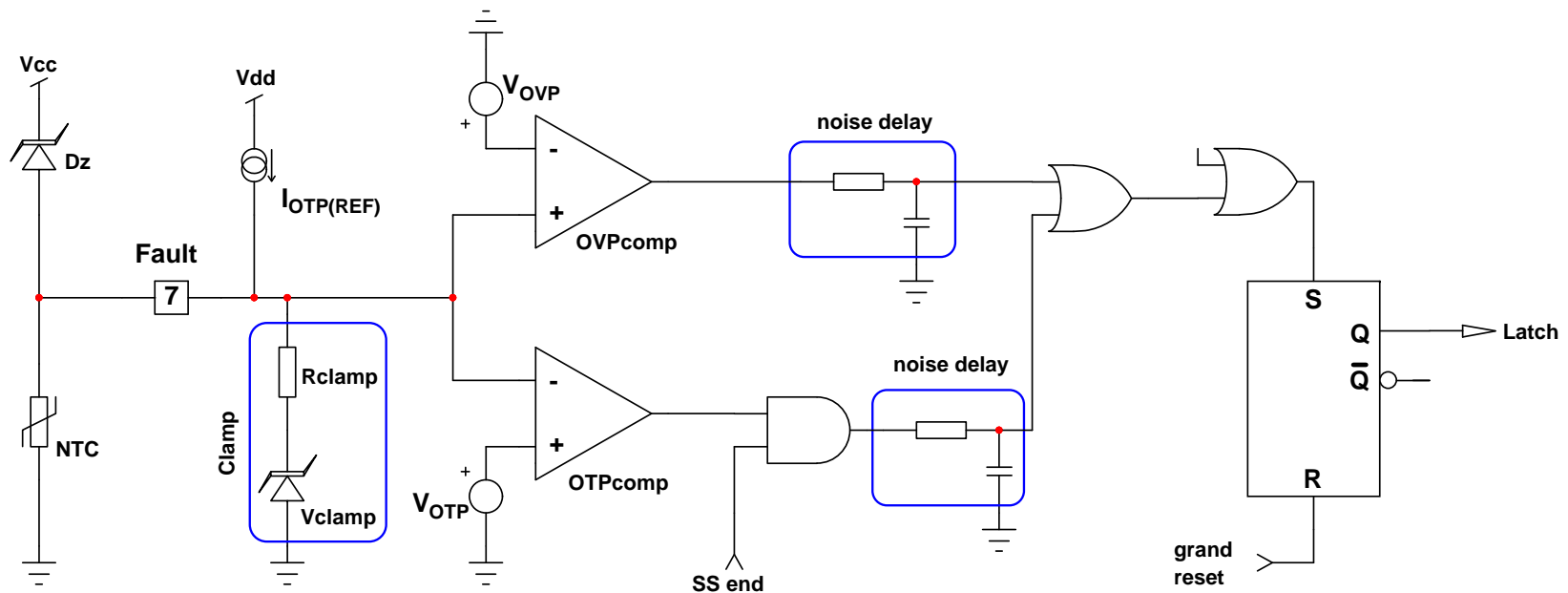
# OVP / OTP (A & B Versions)

- ❑ OVP and OTP detection are achieved by reading the voltage on the pin 7.
- ❑ If the temperature increases, the NTC resistor reduces and  $V_{Fault}$  decreases.

When  $V_{Fault} < V_{OTP} \rightarrow$  the controller is latched.

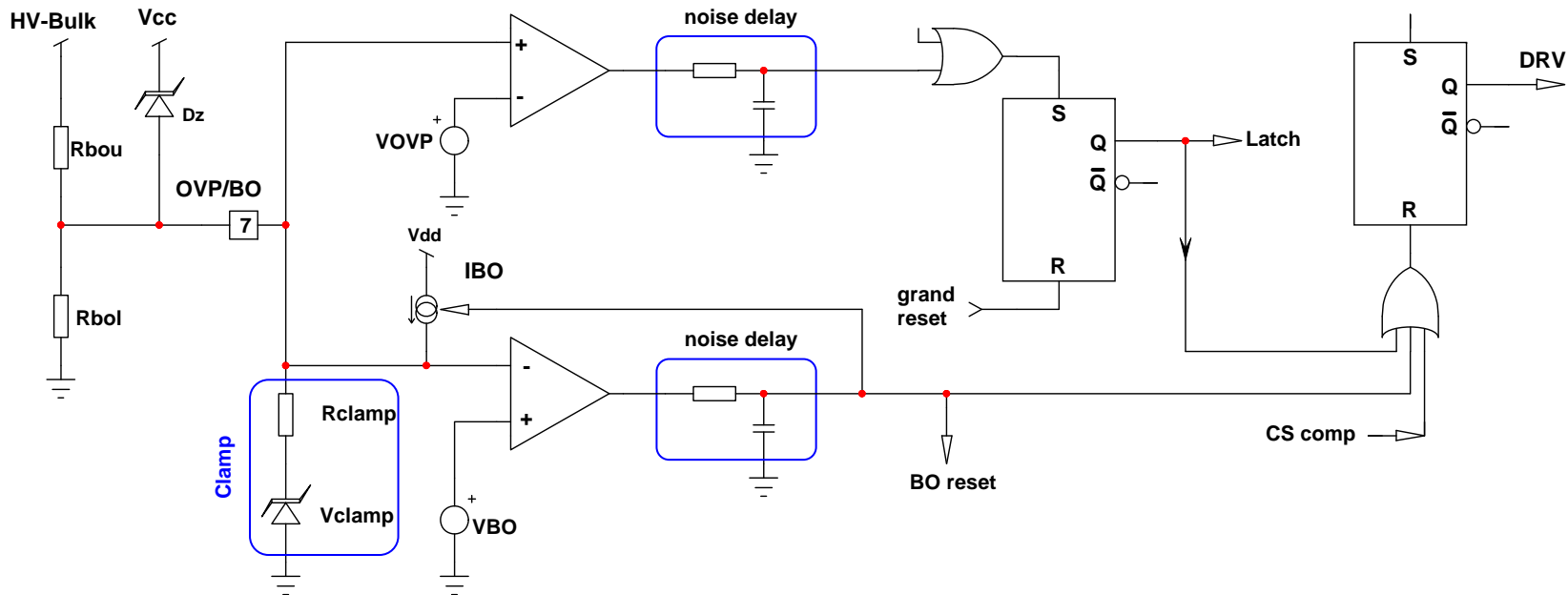
- ❑ If  $V_{CC}$  increases, the zener diode injects current in the clamp circuit.

When  $V_{Fault} > V_{OVP} \rightarrow$  the controller is latched.



# BO / OVP (C & D Versions)

- BO** {
- If  $V_{pin7} > \text{BO threshold}$  &  $V_{CC} > V_{CC_{on}}$ , the controller starts pulsing.
  - The hysteresis current source is ON when  $V_{pin7} > \text{BO threshold}$ .



- OVP** {
- If  $V_{CC} > BV_{Dz}$ , the zener diode injects current inside the clamp resistor.
  - When  $V_{pin7}$  reaches the OVP threshold, the controller is latched.

# Conclusion

- ❑ Changing valley as the load decreases is a way to limit the maximum switching frequency in QR power supplies.
- ❑ Lots of equations to predict the efficiency of the power supply, but good matching between calculations and the measurement.
- ❑ Synchronous rectification increases the efficiency of the QR power supply but increases also the power consumption in standby.
- ❑ Friendly compensation for QR power supply (DCM: 1<sup>st</sup> order system)
- ❑ NCP1380 features:
  - QR current-mode with valley lockout for noise immunity for high load.
  - VCO mode in light load for improved efficiency.



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## For More Information

- View the extensive portfolio of power management products from ON Semiconductor at [www.onsemi.com](http://www.onsemi.com)
- View reference designs, design notes, and other material supporting the design of highly efficient power supplies at [www.onsemi.com/powersupplies](http://www.onsemi.com/powersupplies)

